

**Ultra-intense laser technologies comparison:  
Chirped Pulse amplification (CPA)  
VS  
Optical Parametric Chirped Pulse Amplification (OPCPA)**

**Razvan Dabu  
Extreme Light Infrastructure – Nuclear Physics (ELI-NP)**

High-power multi-petawatt (PW) lasers are key tools for exploring frontier fundamental researches.

The peak power of femtosecond lasers has been raised from terawatt (TW) level to 10-PW level during the past decades, giving rise to  $10^{23}$  W/cm<sup>2</sup> peak laser intensity by tight focalization.

The purpose of this presentation is to discuss some techniques and technologies that allow the amplification of femtosecond laser pulses at such power levels.

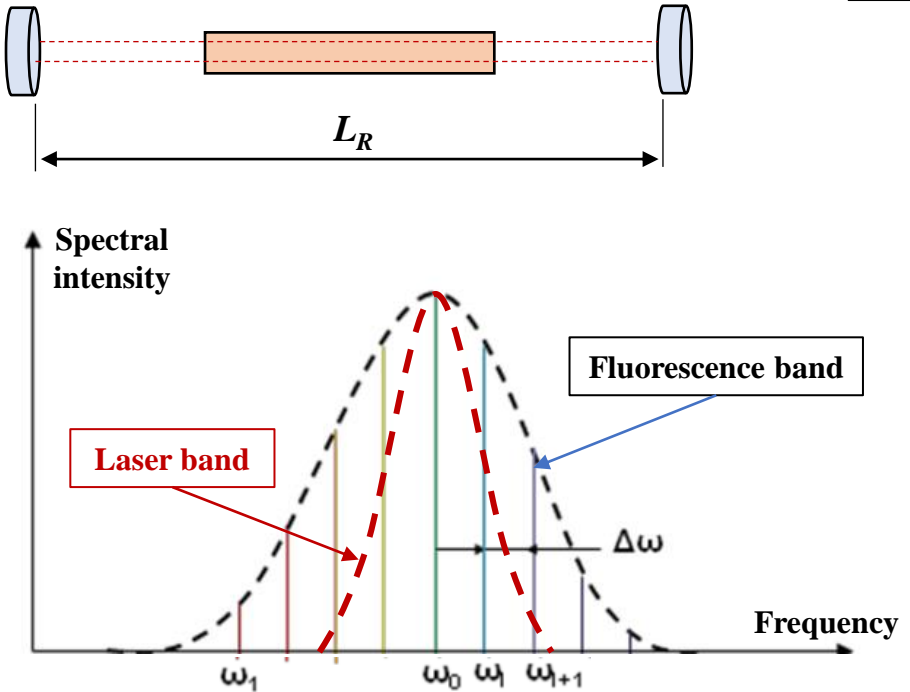
## Outline

- **Introduction about ultra-short pulse laser amplification**
- **Chirped Pulse Amplification (CPA) technique – advantages and drawbacks**
- **Optical Parametric Chirped Pulse Amplification (OPCPA) technique – advantages and drawbacks**
- **Hybrid femtosecond laser systems**
- **Prospects of 100-PW class femtosecond laser systems**
- **Conclusions**

### **Main steps toward high-power ultra-short pulse laser systems:**

- **Femtosecond pulse oscillators based on self-mode-locking (Kerr Lens Mode-locking – KLM) in large spectral band laser media.**
- **Chirped Pulse Amplification (CPA) technique for femtosecond pulses amplification**

# Principle of mode-locking for ultra-short pulse generation



$$2L_R = n \times \lambda_n, \quad 2L_R = (N+1) \times \lambda_{n+1}$$

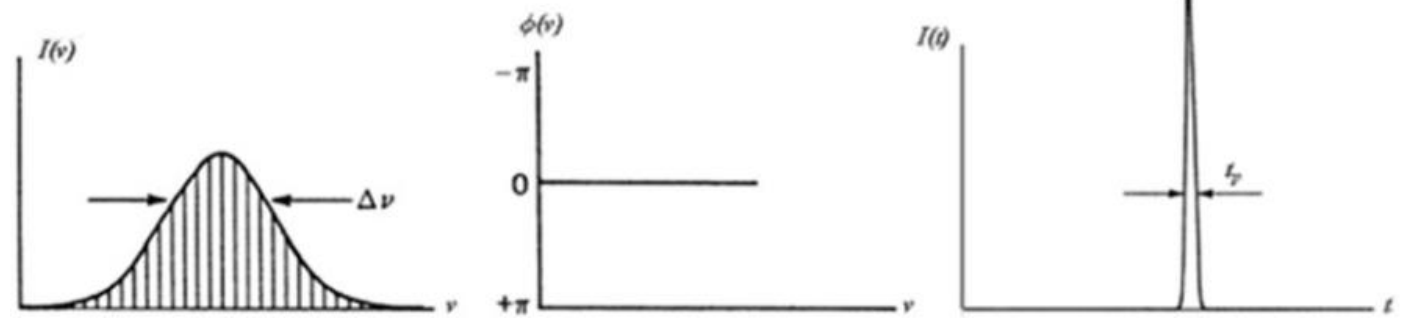
$$\Delta\lambda = \lambda_n - \lambda_{n+1} \cong \frac{\lambda_0^2}{2L_R}, \quad \Delta\nu = \frac{c}{2L_R}, \quad \Delta\omega = 2\pi \Delta\nu = \frac{\pi c}{L_R}$$

$$\omega_l = \omega_1 + (l-1)\Delta\omega, \quad l=1,2,\dots,N$$

$$E_n(t) = E_n \exp\{i[(\omega_0 + n\Delta\omega)t + \varphi_n]\} = E_n \exp(i\Phi_n)$$

$$\varphi_1 \neq \varphi_2 \neq \dots \neq \varphi_l \neq \dots \varphi_N$$

$$\frac{I_{ML}^{peak}}{I_{CW}} = \frac{(NE)^2}{NE^2} = N$$

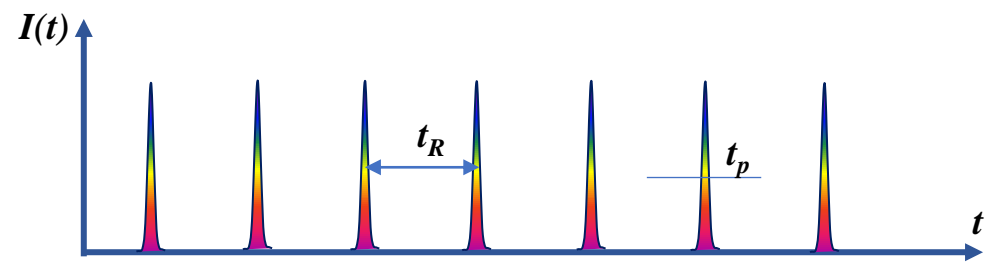


$N$ , number of phase-locked longitudinal modes

Fixed relationship between independent phases:  
 $\varphi_1 = \varphi_2 = \dots = \varphi_N = \varphi$

$$E(t) = \sum_{n=1}^N E_n(t)$$

$$\Phi_{n+1} - \Phi_n = \omega_0 t + (n+1)\Delta\omega t + \varphi_{n+1} - \omega_0 t - n\Delta\omega t - \varphi_n = \Delta\omega t$$



$$\Delta\omega t_R = 2\pi, \quad t_R = \frac{2\pi}{\Delta\omega} = \frac{2L_R}{c}$$

$$I \propto E^2$$

$$\Delta\omega t = \frac{2\pi}{N}$$

$$t_p \propto \frac{1}{\Delta\nu N} = \frac{1}{B_\nu}$$

**In case of a big number of coupled in phase oscillating longitudinal modes, there is a high contrast between mode-locking and cw intensity. A self-mode-locking becomes possible based on Kerr lens effect:**

**Kerr Lens Mode-locking - KLM**

# KLM femtosecond oscillators

$$\varphi(\omega) = \omega t + \varphi_0$$

$$\varphi(\omega_0) = \omega_0 t + \varphi_0 \quad \Delta\omega = \omega - \omega_0$$

$$\frac{\partial \varphi}{\partial \omega} = t_{pr} \quad t_{pr} \rightarrow \text{propagation time of the } \omega \text{ frequency component}$$

$$\varphi(\omega) = \varphi(\omega_0) + \frac{1}{1!} \frac{\partial \varphi}{\partial \omega} \Big|_{\omega_0} \Delta\omega + \frac{1}{2!} \frac{\partial^2 \varphi}{\partial \omega^2} \Big|_{\omega_0} (\Delta\omega)^2 + \frac{1}{3!} \frac{\partial^3 \varphi}{\partial \omega^3} \Big|_{\omega_0} (\Delta\omega)^3 + \dots$$

$$\frac{\partial^2 \varphi}{\partial \omega^2} \Big|_{\omega_0} = \frac{\partial^3 \varphi}{\partial \omega^3} \Big|_{\omega_0} = \dots = 0 \rightarrow \text{Pulse propagation without dispersion}$$

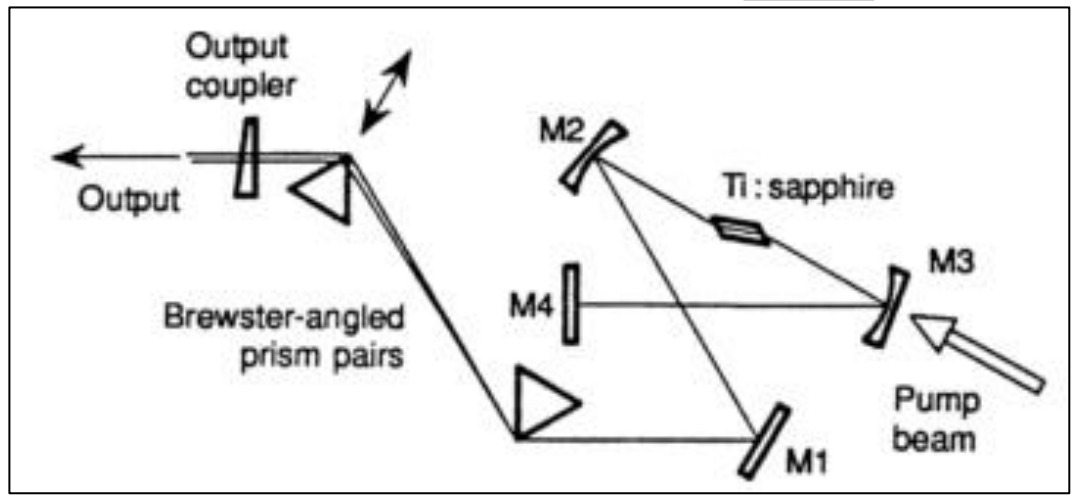
$$\frac{\partial^2 \varphi}{\partial \omega^2} = \frac{\partial t_{pr}}{\partial \omega} \neq 0 \rightarrow \text{linear frequency chirp}$$

$$\frac{\partial^3 \varphi}{\partial \omega^3} = \frac{\partial^2 t_{pr}}{\partial \omega^2} \neq 0 \rightarrow \text{quadratic frequency chirp}$$

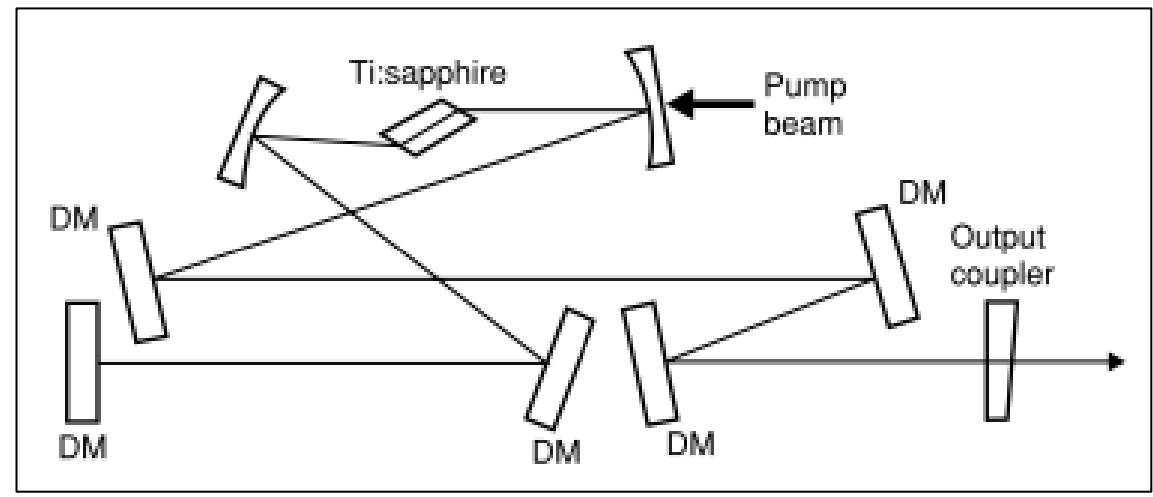
Positive dispersion in Ti:sapphire:

$$\frac{\partial t_{pr}}{\partial \omega} > 0$$

$$\frac{\partial t_{pr}}{\partial \lambda} < 0$$



Optical schematic of a KLM Ti:sapphire oscillator using a pair of prisms to compensate for group velocity dispersion in the Ti:sapphire crystal. Pulse duration: a couple of 10-fs – 100 fs



Optical schematic of a KLM Ti:sapphire oscillator using dispersive mirrors (DM) for intracavity group velocity dispersion. Sub 10-fs pulses can be obtained.

## Problems of femtosecond pulses amplification

$$n = n_0 + n_2 I$$

$$B = \frac{2\pi}{\lambda} \int_0^L n_2 I dx$$

For nanosecond pulses,  $F = 1.5 \text{ J/cm}^2$ ,  $I = (1-2) \times 10^8 \text{ W/cm}^2$

For femtosecond pulses, near saturation fluence, to get high energy extraction efficiency, the intensity can reach very high values

$$I = 10^{12}-10^{14} \text{ W/cm}^2, n_2 (\text{Ti:sapphire}) = 5 \times 10^{-16} \text{ cm}^2/\text{W}$$

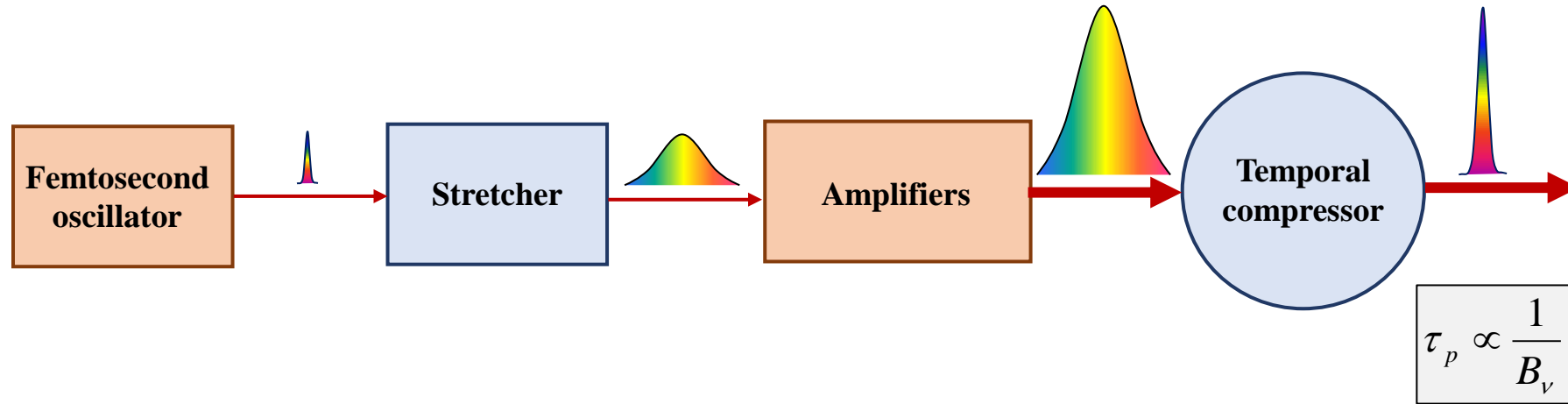
For propagation length  $L$  in the range of *mm* or more, the  $B$  integral value is  $\gg 1$ , significant wavefront distortion and self-focusing can be produced

- Volume damage due to the beam wavefront distortion and self-focusing
- Surface damage due to the lower fluence of LIDT in case of ultra short (ps-fs) pulses compared to ns pulses

### Possible solutions:

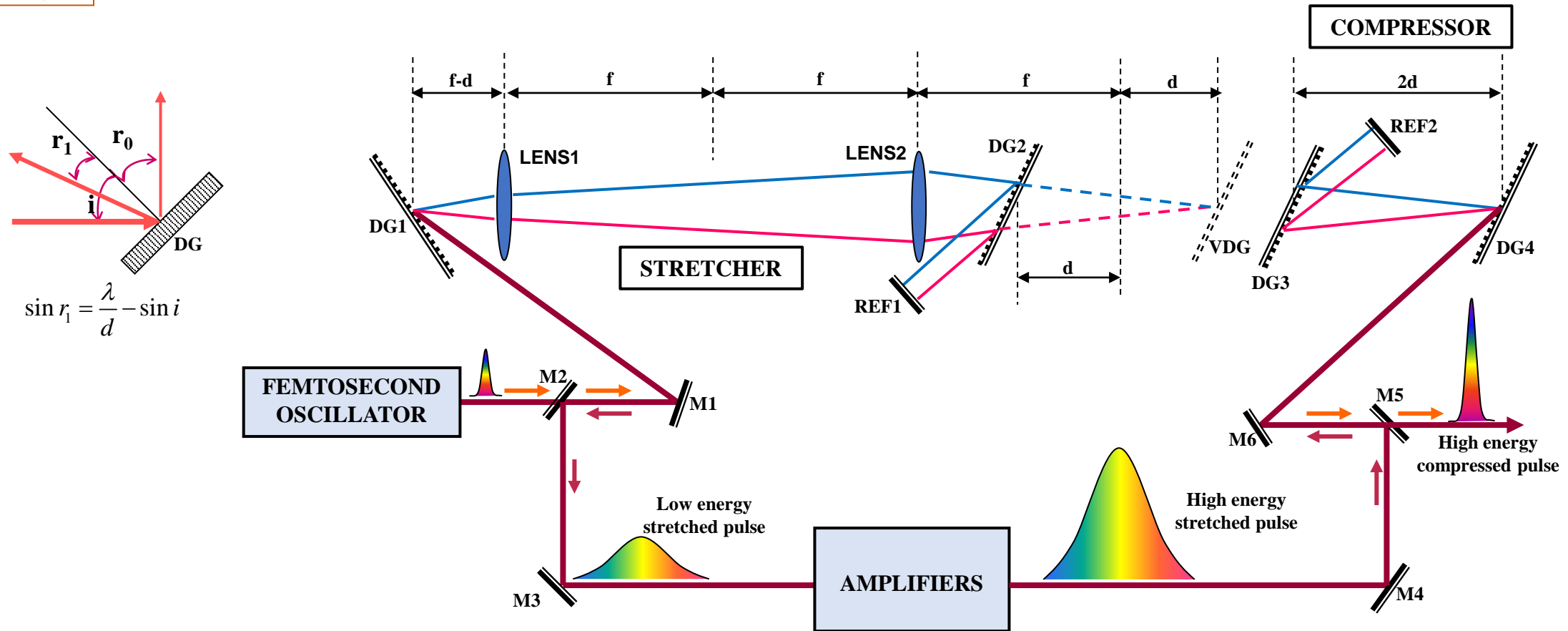
- A. Very large aperture optical components to accommodate large diameter beams
- B. Increasing the amplified pulse duration
  - Pulse stretching to increase the laser pulse duration. Surface damage threshold increases and the value of  $B$  integral decreases.
  - Stretched pulse amplification
  - Temporal re-compression of the amplified pulse

## Principle of Chirped Pulse Amplification (CPA)



$\tau_p$ , recompressed amplified pulse duration  
 $B_\nu$ , amplified pulse frequency bandwidth

D. Strickland and G. Mourou, "Compression of amplified chirped optical pulses," Opt. Commun. **56**(3), 219–221 (1985).



- Stretcher-compressor matched configuration is the key element of CPA
- Stretcher with diffraction gratings in a  $M \times 1$  magnification telescope configuration
- Treacy configuration of the temporal compressor
- Positive group velocity dispersion in the stretcher must be fully compensated for by the negative group velocity dispersion in the temporal compressor
- Second order and third order phase distortions can be compensated for by the translation/rotation of the diffraction gratings of the temporal compressor or stretcher
- For shorter pulses, advanced methods for phase dispersion compensation are required

D. Strickland and G. Mourou, "Compression of amplified chirped optical pulses," *Opt. Commun.* **56**(3), 219–221 (1985).  
 E. B. Treacy, "Optical pulse compression with diffraction gratings", *IEEE J. Quantum Electron.* **5**, 454-458 (1969).  
 O. E. Martinez, "Design of high-power ultrashort pulse amplifiers by expansion and recompression", *IEEE J. Quantum Electron.* **23**, 1385-1387 (1987).

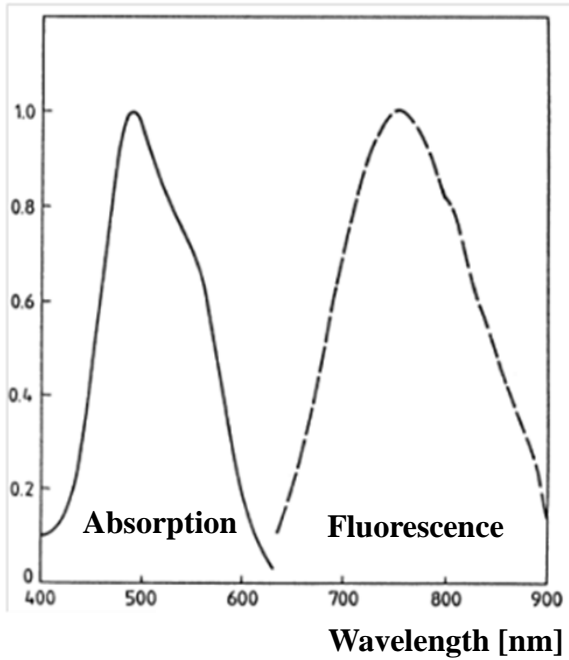


## Essential techniques and technologies related to high power femtosecond laser systems

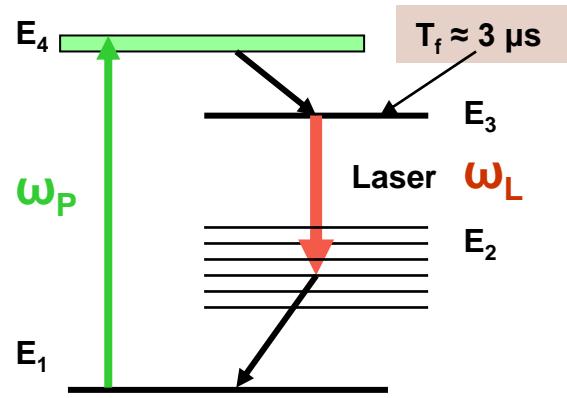
- **Technology of KLM ultra-broad band femtosecond laser oscillators (< 10 fs pulse-width) with chirped mirrors for phase distortion compensation.**
- **Large bandwidth diffraction gratings with high laser induced damage threshold (LIDT) for temporal stretchers-compressors.**
- **Different stretcher configurations.**
- **Large size diffraction gratings for temporal compressors.**
- **Techniques for laser pulse amplification:**
  - **Chirped Pulse Amplification (CPA) in large bandwidth laser media**
  - **Optical Parametric Chirped Pulse Amplification (OPCPA)**
  - **Hybrid CPA-OPCPA**
- **Advanced techniques for the control and improvement of the spectral, temporal and spatial parameters of the amplified pulses: keeping a broad spectral band, phase dispersion compensation, improvement of the contrast intensity of compressed femtosecond pulses, wavefront correction, aberration correction.**
- **Ultra-short pulses metrology**
- **Pump lasers technology**

# Ti:sapphire "Classical" CPA

Intensity [a.u.]



Absorption spectrum and fluorescence emission



Ti:sapphire is a 4-level solid-state amplifying medium

The highest gain is obtained for *c*-axis parallel polarized radiation



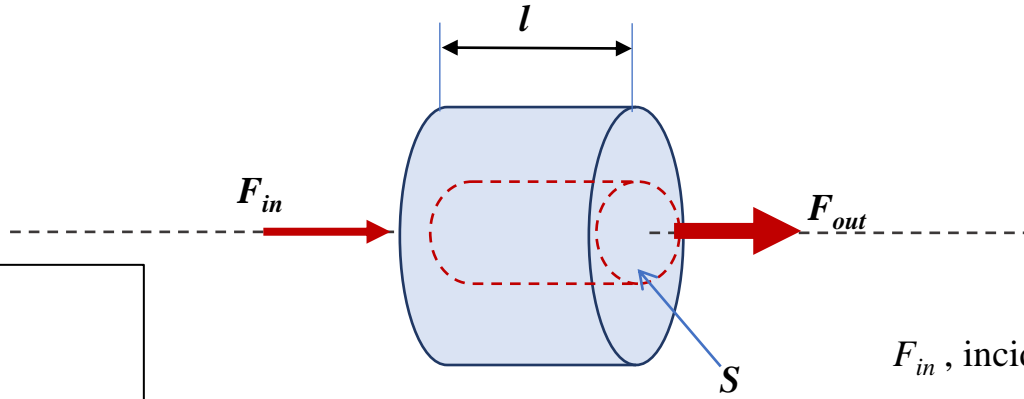
**Regenerative amplifiers, many passes (~ 30) of chirped pulses through the Ti:sapphire crystal: nJ → mJ**

**Medium energy multi-pass (4-6) chirped pulse amplifiers: mJ → 100 mJ**

**High energy multi-pass (2-4) chirped pulse amplifiers: 100 mJ → 10-300J**

**In a multi-PW femtosecond laser system the overall amplification factor is more than 11 orders of magnitude, from nJ to a couple of hundred Joules.**

## Short laser pulse amplification



$$G = \frac{F_{out}}{F_{in}}$$

Gain calculation for :

Rectangular input pulse  
 $t_p \ll \tau_F$   
 Uniform inverted population density  $n$   
 throughout the laser material  
 Negligible absorption and scattering losses  
 in the laser medium

### Energy gain, $G$ :

$$G = \frac{F_{sat}}{F_{in}} \ln \left\{ 1 + \left[ \exp \left( \frac{F_{in}}{F_{sat}} \right) - 1 \right] G_0 \right\} =$$

$$= \frac{F_{sat}}{F_{in}} \ln \left\{ 1 + \left[ \exp \left( \frac{F_{in}}{F_{sat}} \right) - 1 \right] \exp \left( \frac{F_{lav}}{F_{sat}} \right) \right\}$$

$F_{in}$ , incident fluence (energy per surface unit)

$$F_{sat} = \frac{h\nu_L}{\sigma_a}, \text{ saturation fluence}$$

$F_{sat}$  (Ti:sapphire)  $\approx 0.9$  J/cm<sup>2</sup>

$\nu_L$ , laser frequency;

$\sigma_a$ , stimulated amplification cross-section

**$G_0 = \exp(\sigma_a n l)$ , low-signal exponential gain**

$n$ , population inversion per unit of volume

$l$ , propagation length in the amplifying medium

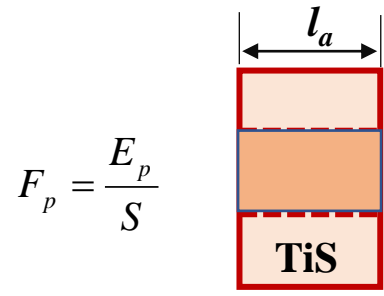
$t_p$ , laser pulse duration

$\tau_F$ , fluorescence life-time

$F_{lav}$ , laser energy available for amplification in an active medium volume with an aperture equal to a surface unit.

$$F_{lav} = \frac{n V_{ol} h\nu}{S} = n l h\nu$$

L.M. Frantz and J.S. Nodvik, J. Appl. Phys. **34**, 2346 (1963)  
 W. Koechner, „Solid-State Laser Engineering”, Chapter 4.1– „Pulse Amplification”,  
 Springer Verlag Berlin Heidelberg, 2006

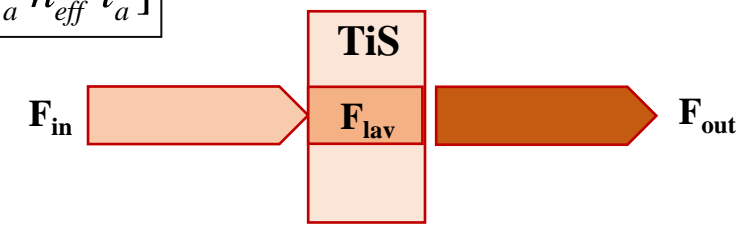


$$n = \frac{E_{abs}}{S l_a h \nu_p} = \frac{\eta_{abs} E_p}{S l_a h \nu_p} = \frac{\eta_{abs} F_p}{l_a h \nu_p}$$

$$n_{eff} = \eta_{qe} \times n$$

$$\eta_{abs} = \frac{F_{abs}}{F_p}, \eta_{qe} \cong 0.8$$

$$G_0 = \exp[\sigma_a n_{eff} l_a]$$



Small signal amplification for one face end-pumped TiS crystal:  
 $F_{sat} = 0.9 \text{ J/cm}^2$ ,  
 $\eta_{abs} = 0.9$ ,  
 $\eta_{qd} = \lambda_p / \lambda_L \approx 0.665$  ( $\lambda_p = 532 \text{ nm}$ )  
 $\eta_{qe} = 0.8$

$$G_0 = \exp\left[\frac{\sigma_a \eta_{qe} \eta_{abs} F_p l_a}{l_a h \nu_p}\right] = \exp\left[\frac{\sigma_a \eta_{qe} F_{abs}}{l_a h \nu_p} \frac{h \nu_L}{h \nu_L}\right] = \exp\left[\frac{\eta_{qe} F_{abs}}{F_{sat}} \frac{\nu_L}{\nu_p}\right] = \exp\left[\frac{F_{lav}}{F_{sat}}\right]$$

$$F_{lav} = \eta_{qe} \times \eta_{qd} \times \eta_{abs} \times F_p$$

$n_{eff} \approx \eta_{qe} \times n$ ,  $\eta_{qe}$  - quantum efficiency  
 $\eta_{qd} = \nu_L / \nu_p \approx 0.665$  ( $\lambda_p = 532 \text{ nm}$ ), quantum defect  
 $\eta_{abs}$ , absorption efficiency

$$G_{small\ signal} \cong \exp\left[0.53 \times F_p \left(\text{J/cm}^2\right)\right]$$

$F_p = 1 \text{ J/cm}^2 \rightarrow G = 1.7$   
 $F_p = 1.5 \text{ J/cm}^2 \rightarrow G = 2.2$

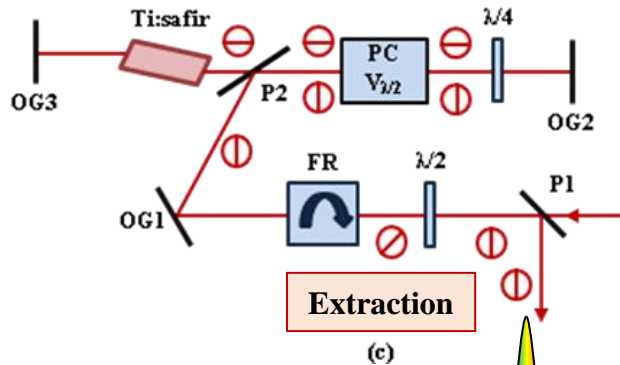
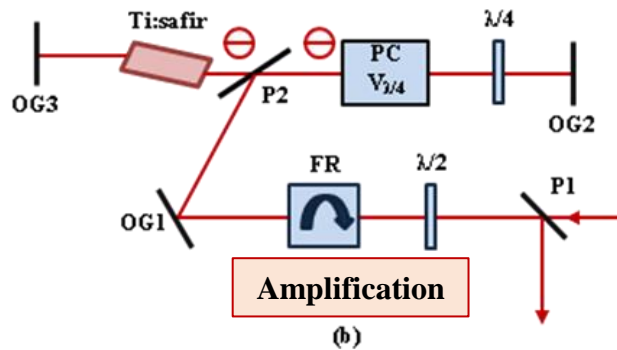
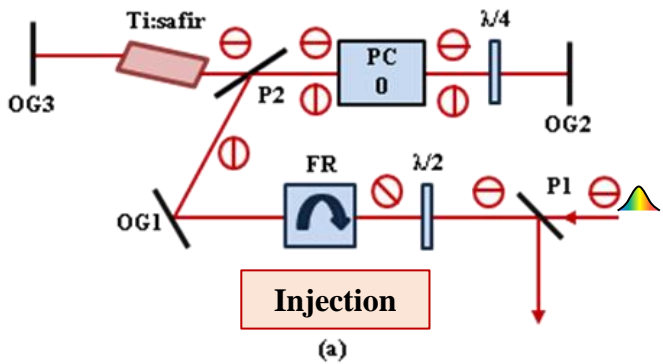
**~1/3 of the absorbed pump laser energy is the heat dissipated in the Ti:sapphire crystal**

**Single-pass gain in a Ti:sapphire crystal is limited in the range of 2-5**

Small signal amplification for an end pumped TiS crystal on both faces:  
 **$G \approx 3-5$**

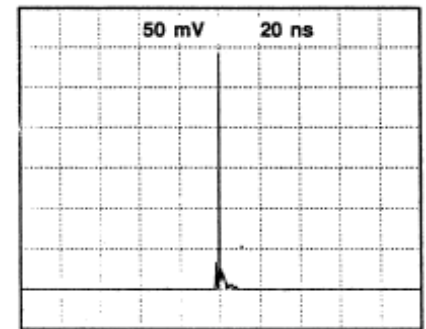
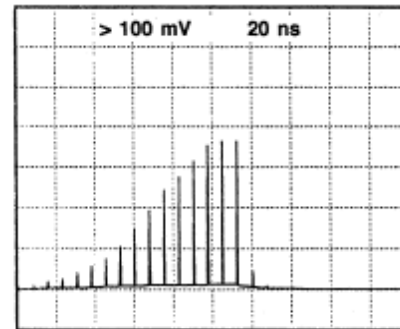
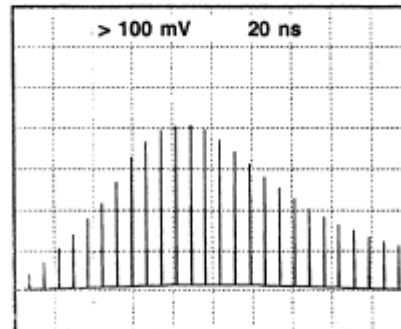
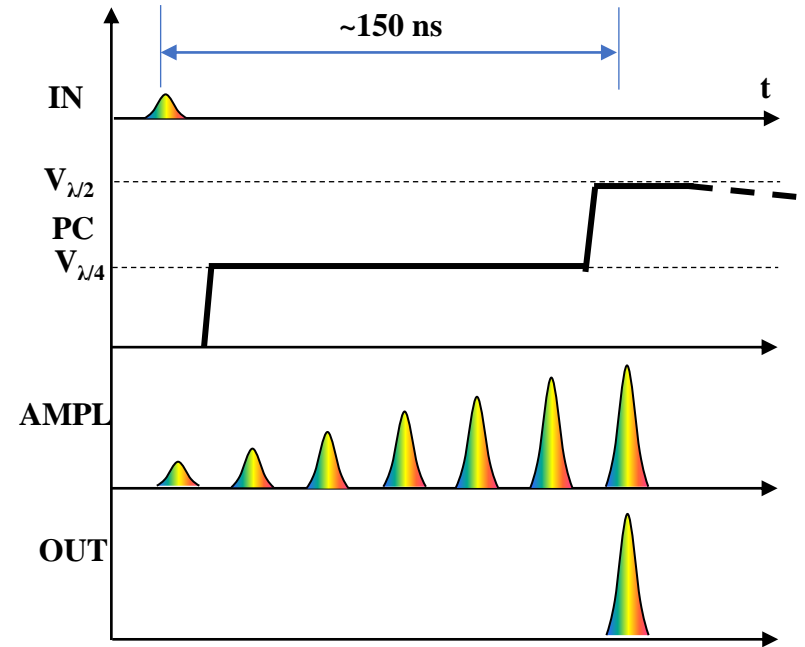
**Principle of a regenerative amplifier:**  
**(a) Low energy pulse injection.**  
**(b) Multi-pass amplification process.**  
**(c) Amplified laser pulse extraction.**

5-6 orders of magnitude amplification of stretched pulses from nJ to mJ  
 26-30 paths through the Ti:sapphire crystal

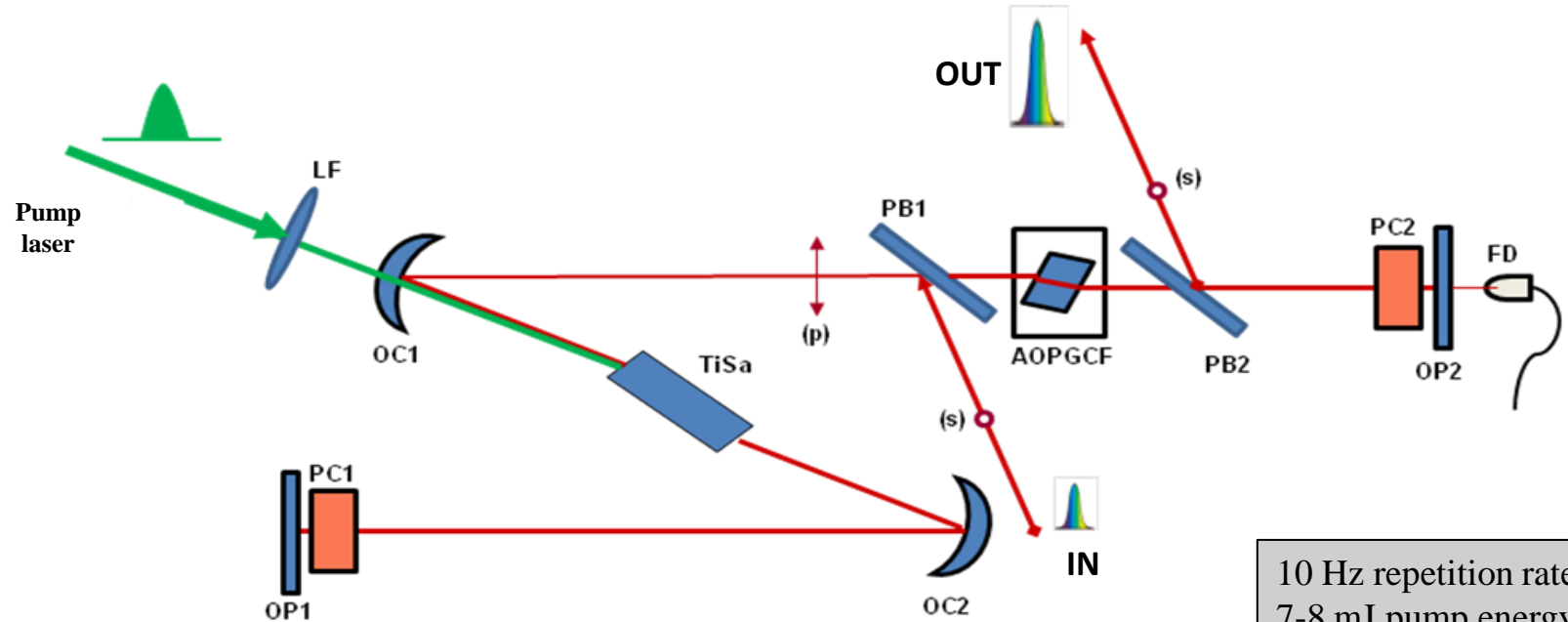


| Polarization |        |
|--------------|--------|
|              | = p    |
|              | = s    |
|              | = 45°  |
|              | = -45° |

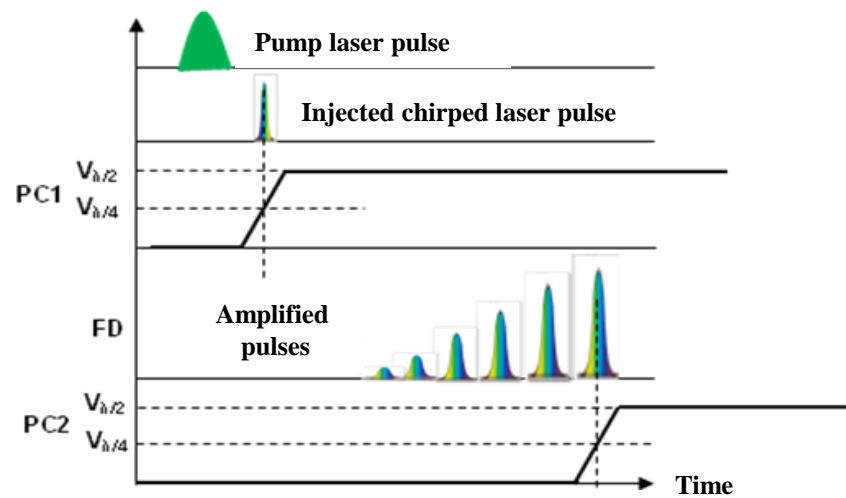
PC-Pockels Cell; OG1-3 – HR mirrors at 800 nm;  
 P1-2 - Polarizers ; FR – Faraday Rotator.



**Two-Pockels Cell configuration of a regenerative amplifier (TEWALAS, Amplitude Technologies)**

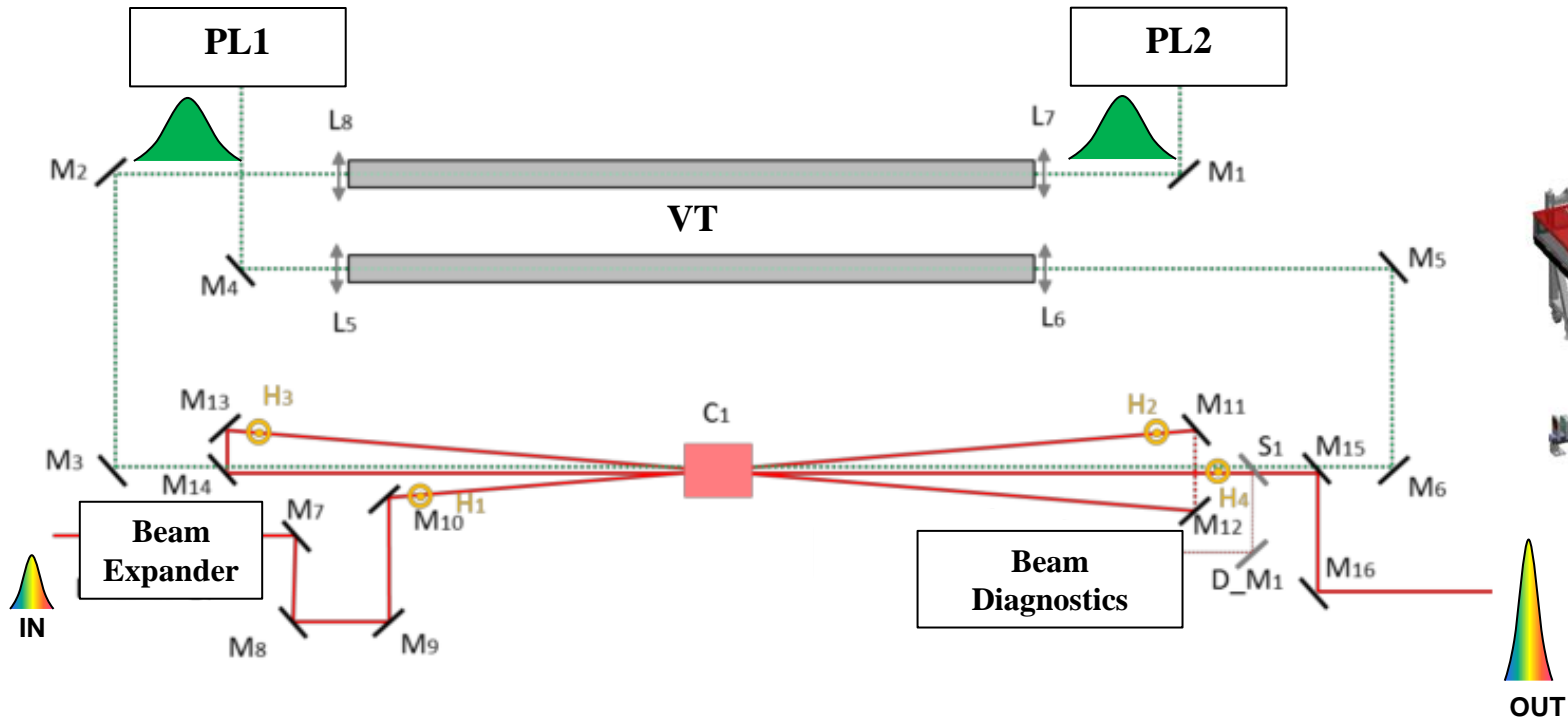


10 Hz repetition rate  
7-8 mJ pump energy at 532 nm  
~ 100 nJ input pulse energy  
~150 ns rise-time of pulses  
~ 0.5 mJ output energy



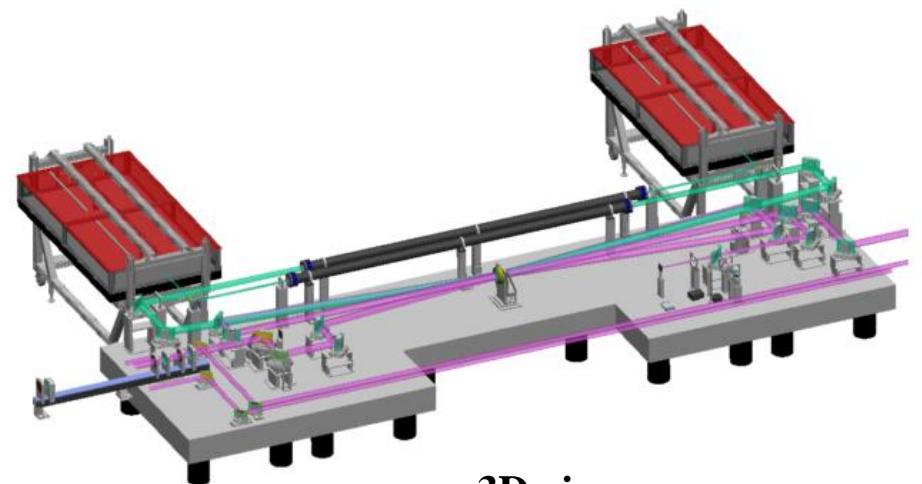
PC1, PC2 – Pockels Cells; PB1,PB2 – Brewster angle thin film polarizers; AOPGCF – acousto-optic programmable gain filter; OP1, OP2 -HR @ 800 nm flat mirrors; OC1, OC2 – Spherical mirrors, HR @ 800 nm, HT @ 532 nm; FD – photodiode.

# High Energy 3-pass Amplifier

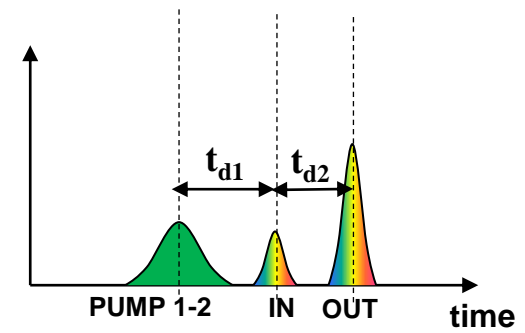


Optical layout

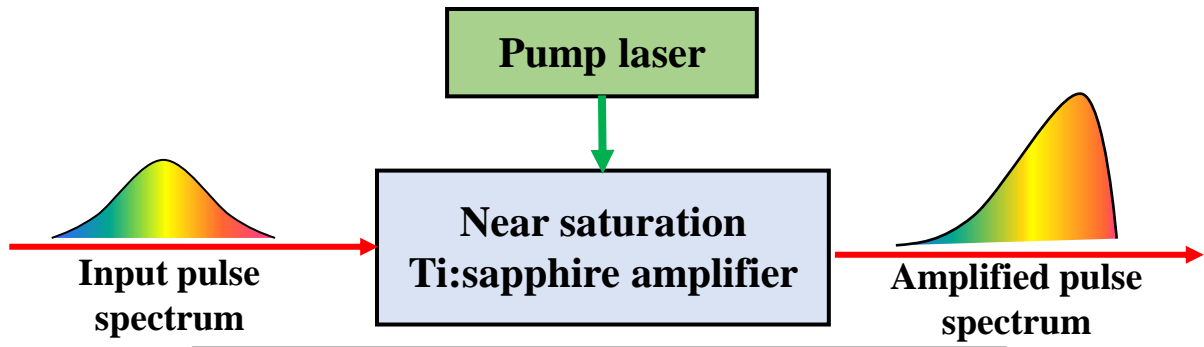
$C_1$ , Ti:sapphire crystal;  $M_1$ - $M_6$ , HR steering mirrors at 527 nm;  $M_7$ - $M_{16}$ , HR large bandwidth at 800 nm steering mirrors; PL1,2 – frequency doubled ns Nd:glass (527 nm) pump lasers; VT, vacuum tubes for relay imaging.



3D view

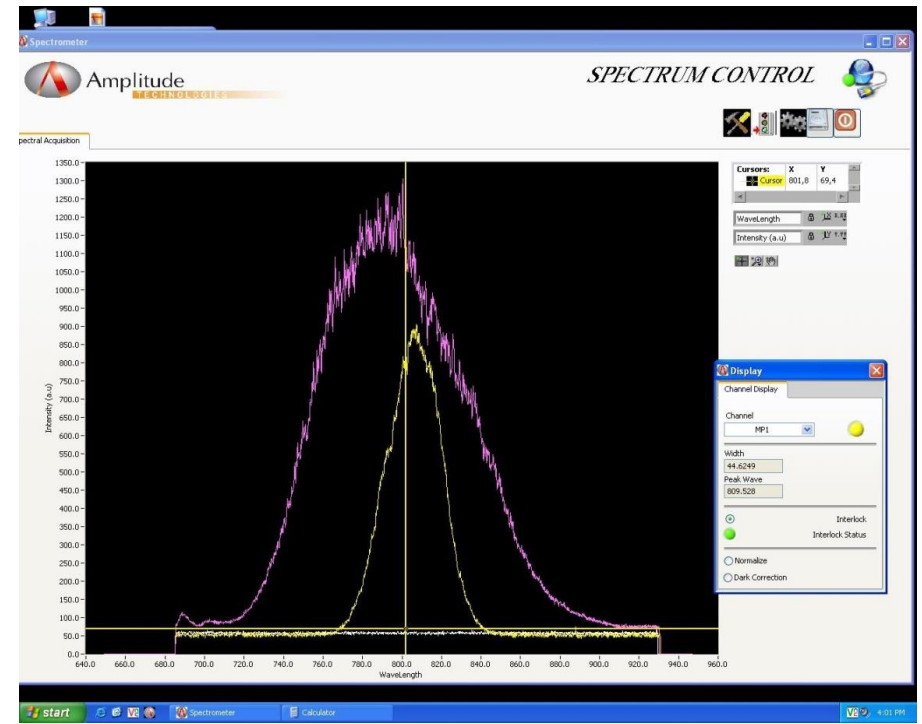


# Problems of Ti:sapphire laser amplification – Spectral Band Narrowing and Red Shifting

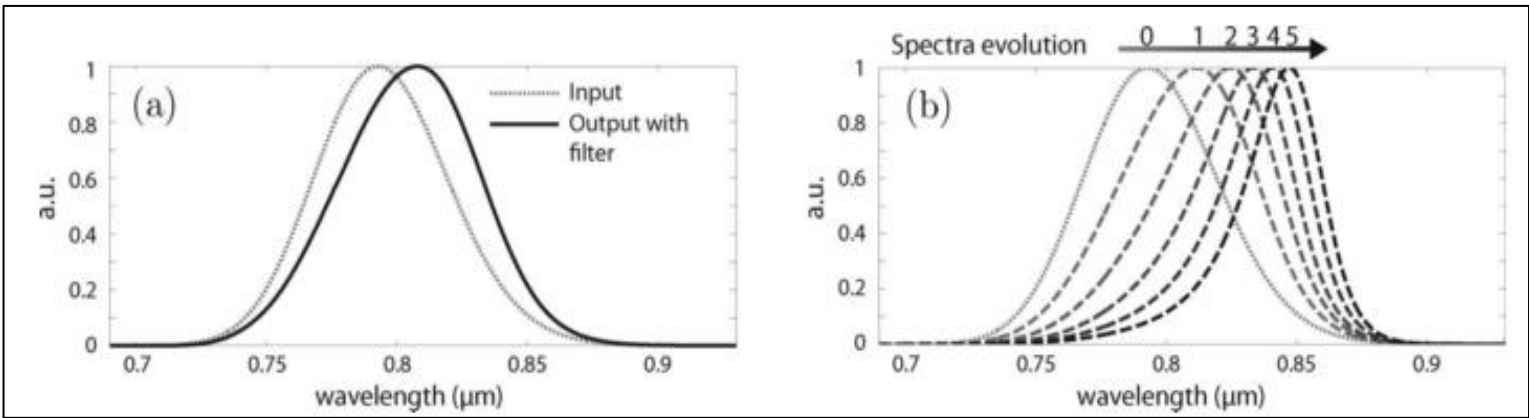


Significant Red-shifting effect in near saturation regime amplifiers ( $E_{\text{ampl}} \approx E_{\text{in}} + E_{\text{ac}}$ ).

Gain narrowing - due to the higher gain near 800 nm wavelength, spectral band narrowing can be observed, particularly for many passes amplifiers



Spectrum narrowing and Red-shifting after Regen Amplifier and first Multi-pass Amplifier (25 mJ pulse energy) in a 10 TW laser system

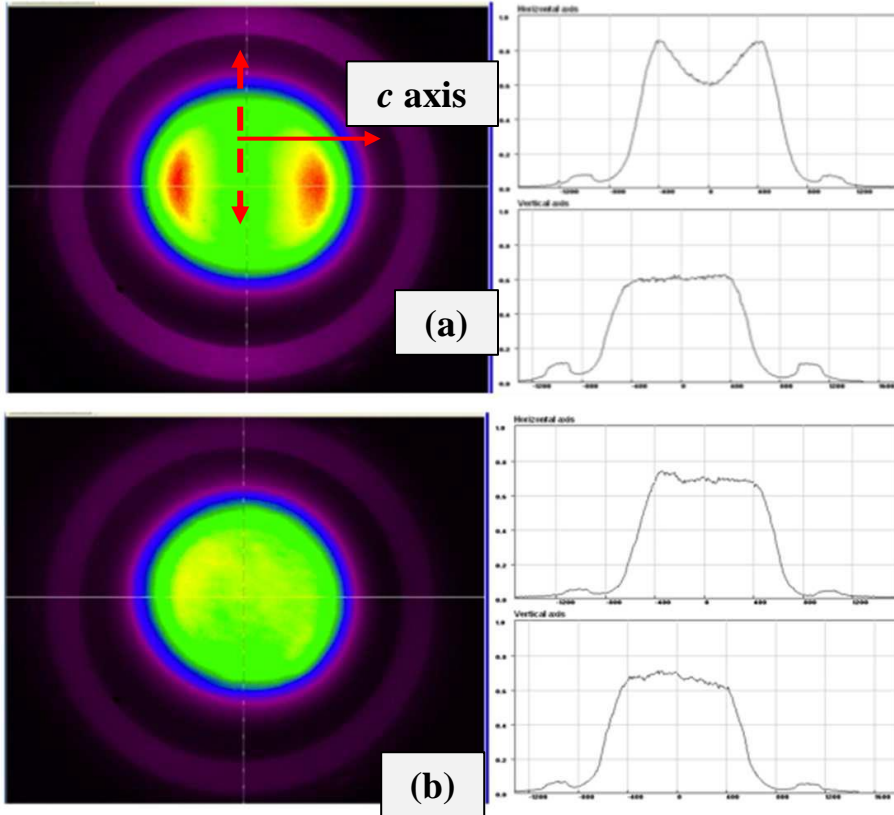


Amplification simulation for 10-PW APOLLON laser  
(a) With spectral shaping before each multi-pass amplifier except the last one.  
(b) Without spectral shaping



Non-transversal lasing condition:  $G_T R < 1$

$R$  = side reflectivity of the TiS crystal



Fluorescence spatial profile  
(a) Transversal lasing on the direction of normal propagation on the crystal  $c$  axis of Ti:sapphire crystal. (b) Without transversal lasing.

S. Laux et al., Opt. Lett. **37** (11), 1913 (2012)

Highest transversal gain is at the input pump radiation face of the Ti:sapphire crystal ( $z = 0$ ):

$$F_p(z) = F_p(z=0) \exp[-\alpha z]$$

$$E_{abs}(z=0) = -\left. \frac{\partial F_p(z)}{\partial z} \right|_{z=0} = \alpha F_p(z=0)$$

$$G_T(z=0) = \exp\left[n_{eff}(z=0) \sigma D\right] = \exp\left[\frac{E_{abs}(z=0)}{h\nu_p} \eta_{qe} \sigma D\right] =$$

$$= \exp\left[\frac{\nu_L}{\nu_p} \frac{E_{abs}(z=0)}{F_{sat}} \eta_{qe} D\right] = \exp\left[\frac{\nu_L}{\nu_p} \frac{F_p(z=0)}{F_{sat}} \eta_{qe} \alpha D\right]$$

$G_T$  – transversal gain

$D$  – TiS crystal diameter

$\sigma$  – emission cross-section

$n(z=0)$  – population inversion per volume unit

$n_{eff} \approx \eta_{qe} \times n \approx 0.8 \times n$

$E_{abs}(z=0)$  – pump laser energy density absorbed per volume unit at input face

$\alpha$  – absorption coefficient

$F_p(z=0)$  - input pump fluence

$\nu_L$  – amplified laser pulse frequency

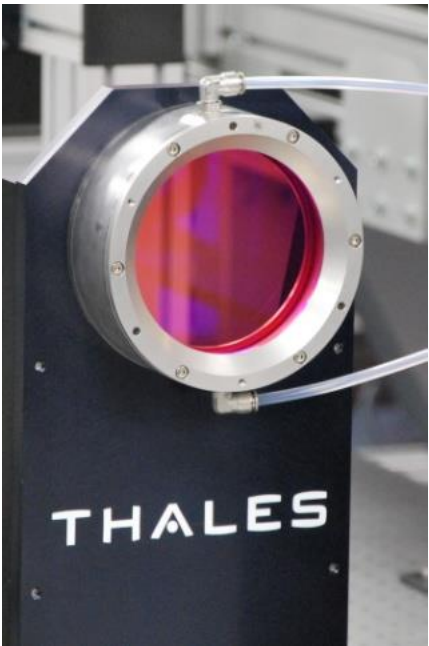
$\nu_p$  – pump laser frequency

Transversal gain decreases if:

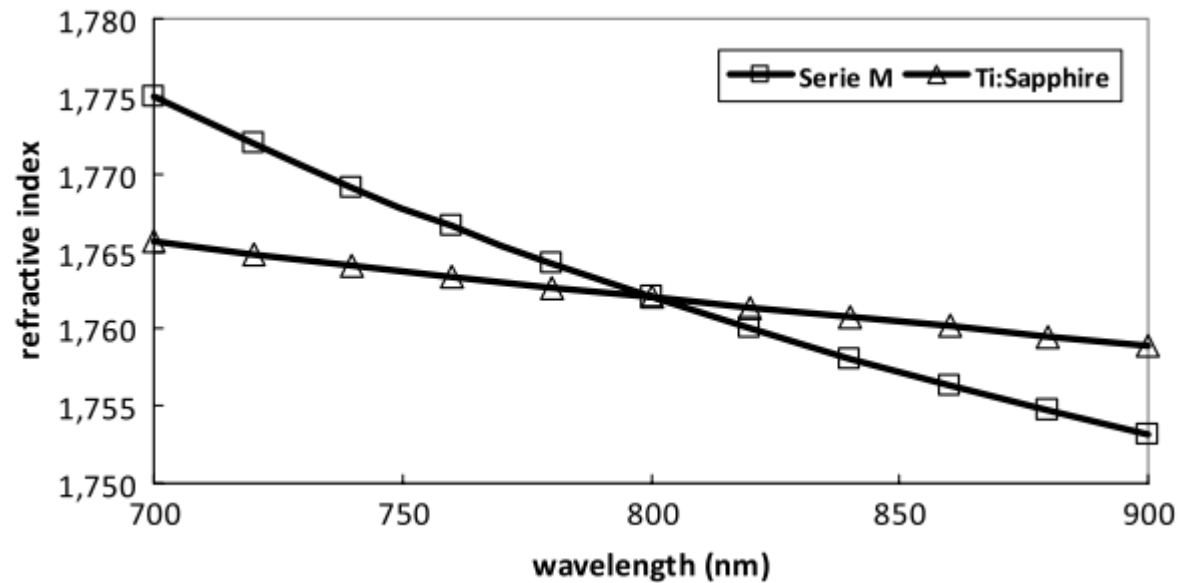
- Pump fluence decreases
- Absorption coefficient decreases (Ti doping of the crystal decreases)
- Pumped crystal area decreases

## Methods to avoid transversal lasing

1. Matching the refractive index of TiS crystal and cooling liquid to reduce the transversal side reflectivity
2. Low doping of TiS crystal
3. Delayed pumping during amplification process



Liquid cooled Ti:sapphire crystal in a Thales mount



Refractive index curve of Ti:sapphire versus refractive index of the liquid (Cargille Serie M)

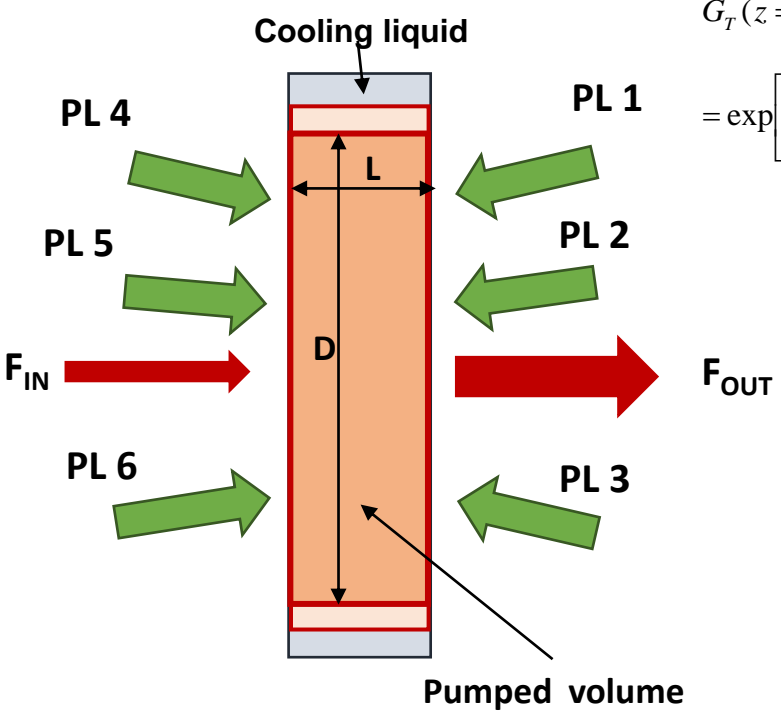
It is practically impossible a perfect index matching over the whole laser pulse spectral band.

# Avoiding transversal lasing in the last amplifier of a 10 PW laser system by “extraction during pumping”

Reflectivity with index matched cooling liquid = 0.04%  
 $G_T < 2500$

For simultaneously pumping with all six 100 J lasers:  
 $G_T > 15000$

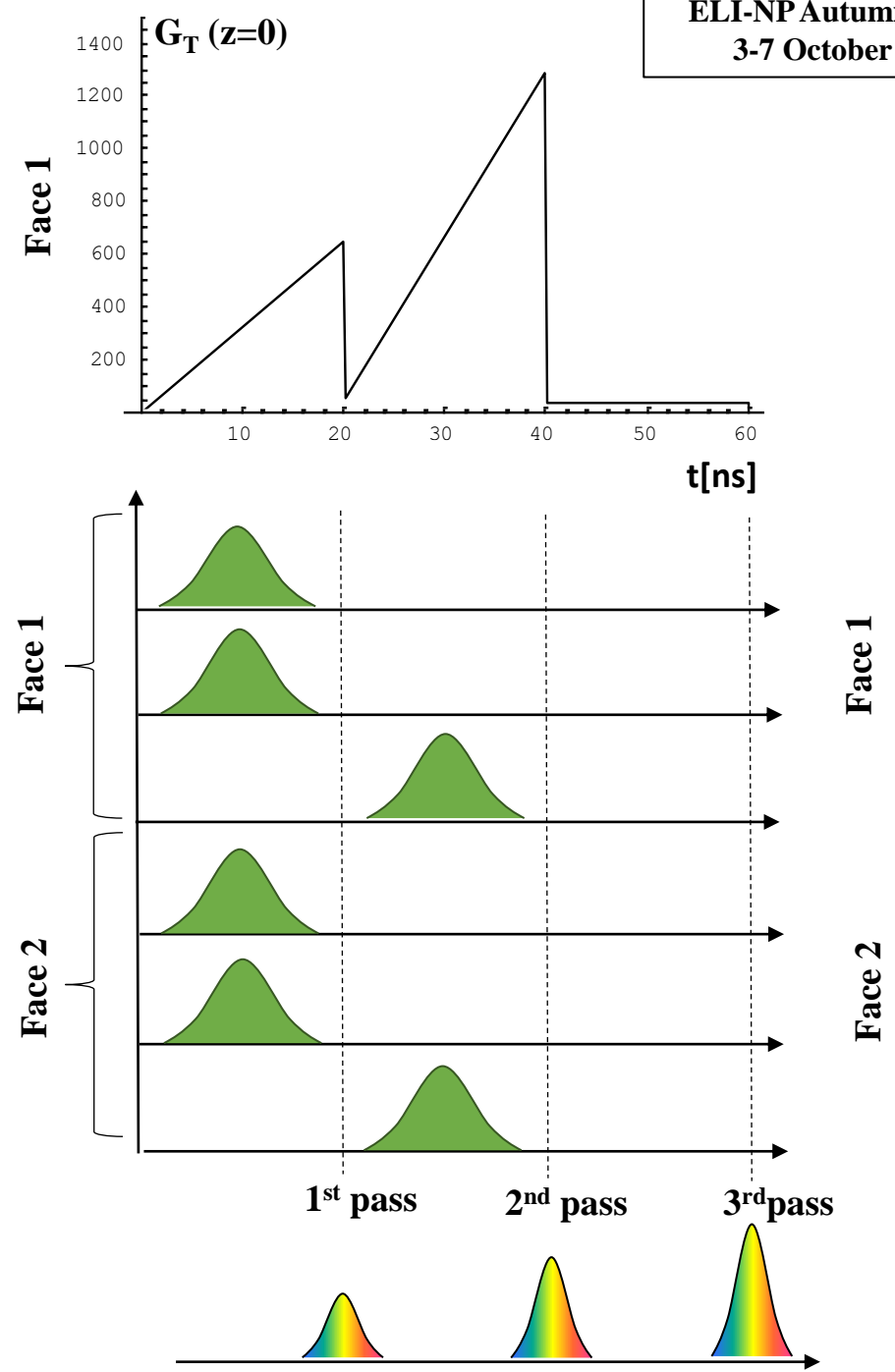
|                              | Input | First Pass | Second Pass | Third Pass |
|------------------------------|-------|------------|-------------|------------|
| Fluence [J/cm <sup>2</sup> ] | 0.45  | 0.978      | 1.719       | 1.915      |
| Energy [J]                   | 90    | 195        | 343         | 383        |



$$G_T(z=0) = \exp[n(z=0)\sigma D] = \exp\left[\frac{E_{ac}(z=0)}{h\nu_L}\sigma D\right]$$

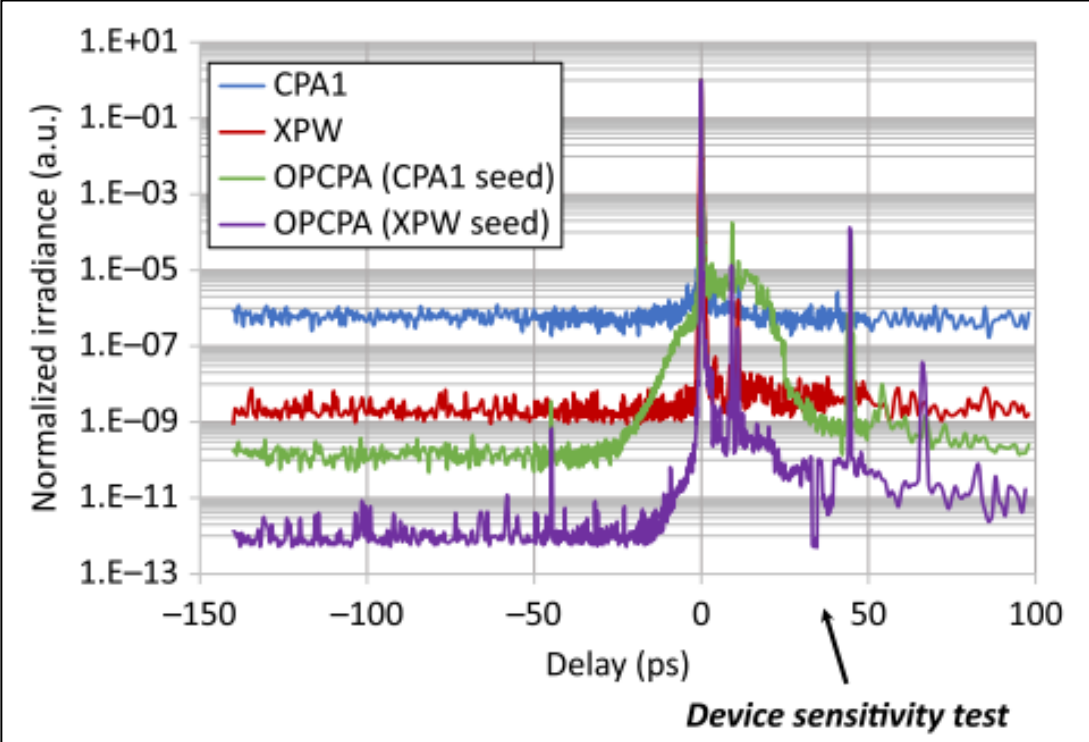
$$= \exp\left[\frac{E_{ac}(z=0)}{F_{sat}}D\right] = \exp\left[\frac{\nu_L}{\nu_P}\frac{F_P(z=0)}{F_{sat}}\alpha D\right]$$

$\alpha = 0.66$   
 Ti doping [wt] = 0.035%  
 $D = 160$  mm  
 $E_{IN} = 90$  J  
 $F_{IN} =$  input fluence = 0.45 J/cm<sup>2</sup>  
 $L = 4.65$  cm  
 Absorption = 95%  
 PL, pump laser, 100 J @ 532 nm



# Amplified spontaneous emission (ASE) – limiting factor of intensity contrast in femtosecond laser systems based on CPA in Ti:sapphire

Experiments with tightly focused laser beams require very good spatio-temporal characteristics of the high-power femtosecond pulses, particularly **high intensity contrast** and **low wavefront distortion**.



Without improvement methods, the intensity contrast in Ti:sapphire CPA laser systems is about  $10^{-6}$

- ### Techniques for intensity contrast improvement
- Femtosecond pulses filtering by saturable absorbers
  - Crosses-polarized wave generation (XPW) in crystals
  - Optically synchronized picosecond OPCPA

ELI-NP HPLS FE intensity contrast assessment using a test compressor

- CPA1 – only CPA in the Regenerative Amplifier
- XPW – CPA followed by XPW in BaF<sub>2</sub> crystals
- OPCPA (CPA1 seed) – ps OPCPA in BBO crystals seeded by CPA1 laser pulses
- OPCPA (XPW seed) – ps OPCPA seeded by CPA1 & XPW laser pulses

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doi:10.1017/hpl.2020.41

**HIGH POWER LASER**  
SCIENCE AND ENGINEERING

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RESEARCH ARTICLE

## High-energy hybrid femtosecond laser system demonstrating $2 \times 10$ PW capability

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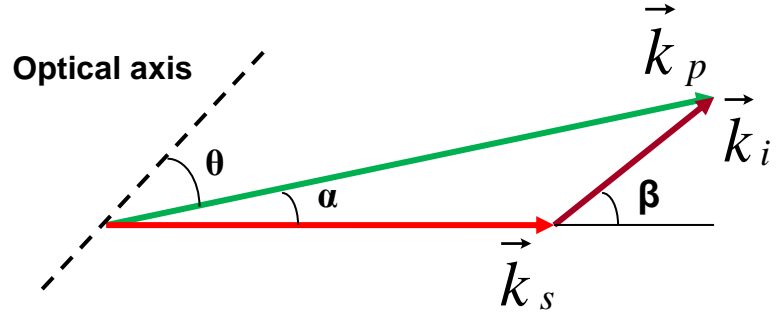
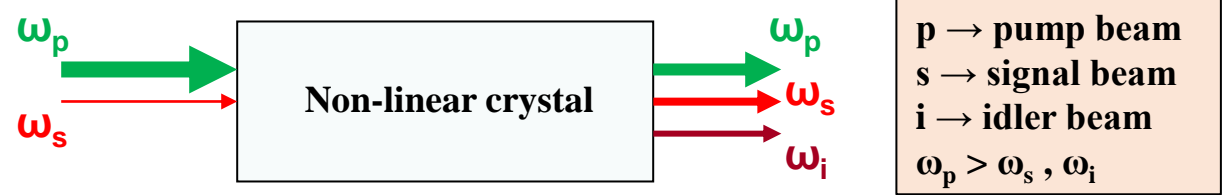
François Lureau<sup>1</sup>, Guillaume Matras<sup>1</sup>, Olivier Chalus<sup>1</sup>, Christophe Derycke<sup>1</sup>, Thomas Morbieu<sup>1</sup>, Christophe Radier<sup>1</sup>, Olivier Casagrande<sup>1</sup>, Sébastien Laux<sup>1</sup>, Sandrine Ricaud<sup>1</sup>, Gilles Rey<sup>1</sup>, Alain Pellegrina<sup>1</sup>, Caroline Richard<sup>1</sup>, Laurent Boudjemaa<sup>1</sup>, Christophe Simon-Boisson<sup>1</sup>, Andrei Baleanu<sup>2</sup>, Romeo Banici<sup>2</sup>, Andrei Gradinariu<sup>2</sup>, Constantin Caldararu<sup>2</sup>, Bertrand De Boisdeffre<sup>3</sup>, Petru Ghenuche<sup>3</sup>, Andrei Naziru<sup>3,4</sup>, Georgios Kolliopoulos<sup>3</sup>, Liviu Neagu<sup>3</sup>, Razvan Dabu<sup>3</sup>, Ioan Dancus<sup>3</sup>, and Daniel Ursescu<sup>3</sup>

**Advantages and Drawbacks of Ti:sapphire CPA  
femtosecond laser systems**

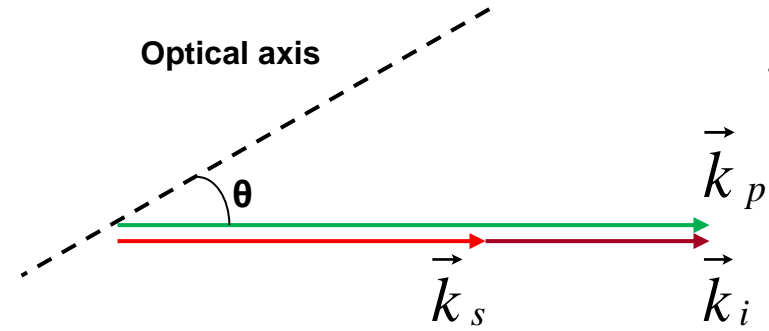
| Advantages  | Drawbacks  |
|---|--|
| <p><b>Noncritical pump pulse duration</b></p> <p><b>Non-critical signal-pump pulse synchronization</b><br/>(Ti:sapphire fluorescent lifetime time <math>\sim 3.2 \mu\text{s}</math>)</p> <p><b>A couple of high energy green pump lasers, with 6-20 ns pulse duration, can be used for high energy amplifiers</b></p> | <p><b>Spectral band narrowing &amp; Red shifting:</b> Longer recompressed amplified pulse</p> <p><b>Amplification of spontaneous emission:</b><br/>Relatively low intensity contrast</p> <p><b>Thermal loading:</b> Part of the pump energy (<math>\sim 33\%</math> in case of Ti:sapphire) is dissipated in the amplifying medium <math>\rightarrow</math> <b>Wavefront distortion</b></p> <p><b>Transversal lasing and ASE</b> in large size Ti:sapphire crystals</p> <p>Damage of optical components due to the <b>back reflected laser radiation amplification</b></p> |

**Drawbacks can be partially removed using advanced enhancement techniques**

# Principle of Optical Parametric Amplification (OPA)



Non-collinear OPA, NOPA



Collinear OPA

Quanta Energy conservation and Wave-vectors Phase-Matching condition must be fulfilled for optical parametric amplification

$$\omega_p = \omega_s + \omega_i$$

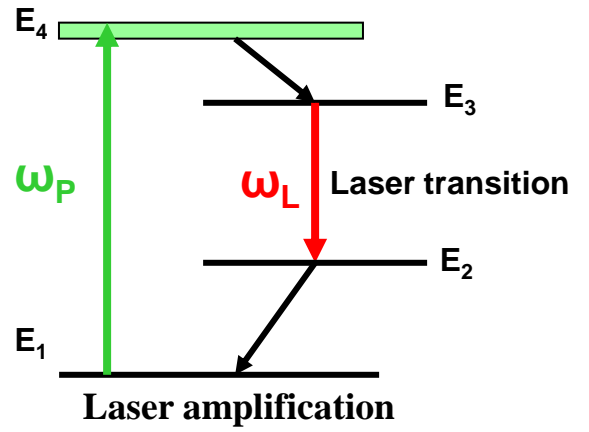
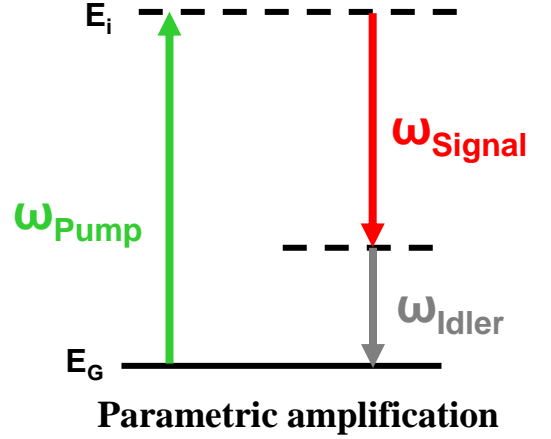
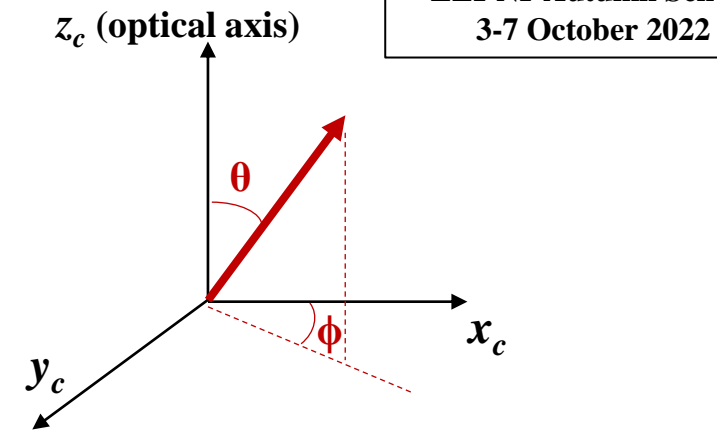
$$\frac{1}{\lambda_p} = \frac{1}{\lambda_s} + \frac{1}{\lambda_i}$$

$$\frac{n_p}{\lambda_p} = \frac{n_s}{\lambda_s} + \frac{n_i}{\lambda_i}$$

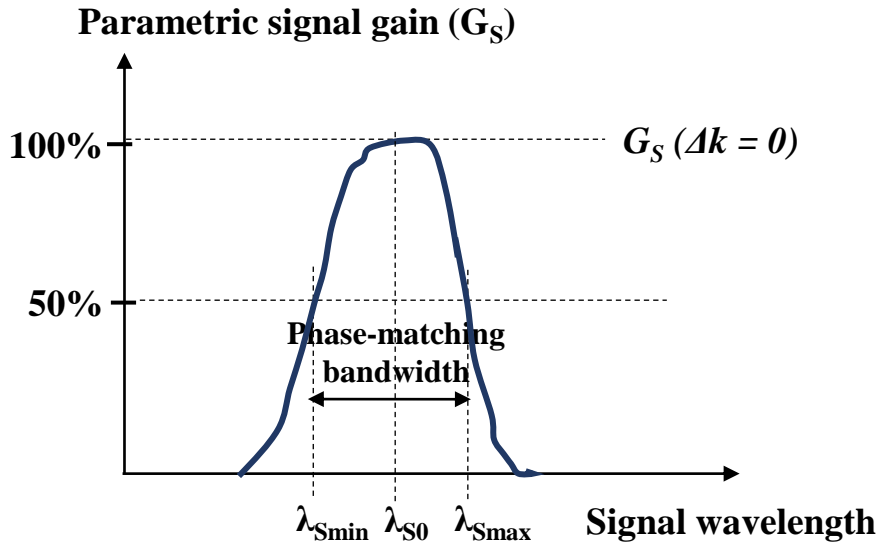
$$\Delta \vec{k} = \vec{k}_p - \vec{k}_s - \vec{k}_i = 0$$

$$|\vec{k}| = \frac{2\pi}{\lambda} n$$

$n \rightarrow$  index of refraction



## Parametric gain bandwidth



Phase-matching bandwidth:

$$G_s(\Delta k) = \frac{1}{2} G_s(\Delta k = 0)$$

Coupled equations that describe the parametric amplification process (neglected waves absorption in crystal):

$$\frac{d A_s}{dz} = -j \frac{\omega_s d_{eff}}{n_s c} A_p A_i^* \exp(-j \Delta k z)$$

$$\frac{d A_i}{dz} = -j \frac{\omega_i d_{eff}}{n_i c} A_p A_s^* \exp(-j \Delta k z)$$

$$\frac{d A_p}{dz} = -j \frac{\omega_p d_{eff}}{n_p c} A_s A_i \exp(j \Delta k z)$$

Under following approximations (small-signal) :

$A_s(0) \ll A_p(0)$  small initial signal amplitude

$A_i(0) = 0$  no initial idler beam

$A_p(L) \cong A_p(0)$  neglected pump depletion

$L$ , length of nonlinear crystal

Parametric gain:

$$G_s(L) = \frac{I_s(L) - I_s(0)}{I_s(0)} = \Gamma^2 \frac{\sinh^2(gL)}{g^2} = \frac{\Gamma^2}{g^2} \left( \frac{e^{gL} - e^{-gL}}{2} \right)^2$$

where  $g^2 = \Gamma^2 - \left( \frac{\Delta k}{2} \right)^2$

$$\Gamma^2 = \frac{2 \omega_s \omega_i d_{eff}^2 I_p}{n_s n_i n_p \epsilon_0 c^3} = \frac{8 \pi^2 d_{eff}^2 I_p}{n_s n_i n_p \lambda_s \lambda_i \epsilon_0 c}$$

$\Delta k = k_p - k_s - k_i$  wave-vectors mismatch

$I_p$  - pump intensity,  $d_{eff}$  - nonlinear coefficient,

$\epsilon_0$  - vacuum permittivity,  $c$  - speed of light

Approximation of high parametric gain:

$$\Delta k = 0, \Gamma L \gg 1$$

$$G_s(L) \approx \frac{\exp(2\Gamma L)}{4}$$

## OPA for large bandwidth signals

Exact phase-matching condition is fulfilled for monochromatic pump, signal, and idler wavelengths

Wave-vector mismatch,  $\Delta k$ , calculated by a Taylor expansion:

$$\vec{k}_p(\omega_p) - \vec{k}_s(\omega_s) - \vec{k}_i(\omega_i) = \Delta \vec{k}$$

$$\omega_p - \omega_{s0} - \omega_{i0} = 0$$

$$k_p(\omega_p) - k_s(\omega_{s0}) - k_i(\omega_{i0}) = \Delta k^{(0)} = 0 \quad \leftarrow \text{Phase-matching}$$

$$\omega_s = \omega_{s0} + \Delta\omega, \quad \omega_i = \omega_{i0} - \Delta\omega \Rightarrow d\omega_s = -d\omega_i$$

$$\Delta k = \Delta k^{(0)} + \left( \frac{\partial \Delta k}{\partial \omega_s} \right)_{\omega_{s0}} d\omega_s + \frac{1}{2!} \left( \frac{\partial^2 \Delta k}{\partial \omega_s^2} \right)_{\omega_{s0}} (d\omega_s)^2 + \frac{1}{3!} \left( \frac{\partial^3 \Delta k}{\partial \omega_s^3} \right)_{\omega_{s0}} (d\omega_s)^3 + \frac{1}{4!} \left( \frac{\partial^4 \Delta k}{\partial \omega_s^4} \right)_{\omega_{s0}} (d\omega_s)^4 + \dots \approx$$

$$\Delta k^{(0)} - \left( \frac{\partial k_s}{\partial \omega_s} - \frac{\partial k_i}{\partial \omega_i} \right) \Delta\omega - \frac{1}{2!} \left( \frac{\partial^2 k_s}{\partial \omega_s^2} + \frac{\partial^2 k_i}{\partial \omega_i^2} \right) (\Delta\omega)^2 - \frac{1}{3!} \left( \frac{\partial^3 k_s}{\partial \omega_s^3} - \frac{\partial^3 k_i}{\partial \omega_i^3} \right) (\Delta\omega)^3 - \frac{1}{4!} \left( \frac{\partial^4 k_s}{\partial \omega_s^4} + \frac{\partial^4 k_i}{\partial \omega_i^4} \right) (\Delta\omega)^4 \dots =$$

$$\Delta k^{(0)} + \Delta k^{(1)} + \Delta k^{(2)} + \Delta k^{(3)} + \Delta k^{(4)} + \dots$$

Low order factors prevail over high order ones

$\Delta k^{(0)} = 0$

Phase matching

$\Delta k^{(0)} = 0, \Delta k^{(1)} \neq 0$

Narrow gain bandwidth, suitable for mono-chromatic or quasi-monochromatic signal amplification

$\Delta k^{(1)} = 0$

Broad gain bandwidth

$\Delta k^{(2)} = 0$

Ultra-broad gain bandwidth

$$\Delta\omega^{(1)} = 4(\ln 2)^{1/2} \left( \frac{\Gamma}{L} \right)^{1/2} \frac{1}{\left| \frac{\partial k_s}{\partial \omega_s} - \frac{\partial k_i}{\partial \omega_i} \right|} = 4(\ln 2)^{1/2} \left( \frac{\Gamma}{L} \right)^{1/2} \frac{1}{\left| \frac{1}{v_{gs}} - \frac{1}{v_{gi}} \right|}$$



## Narrow gain bandwidth (quasi-monochromatic) non-collinear optical parametric amplification (NOPA)

**Six parameters** are involved in a non-collinear parametric amplification:

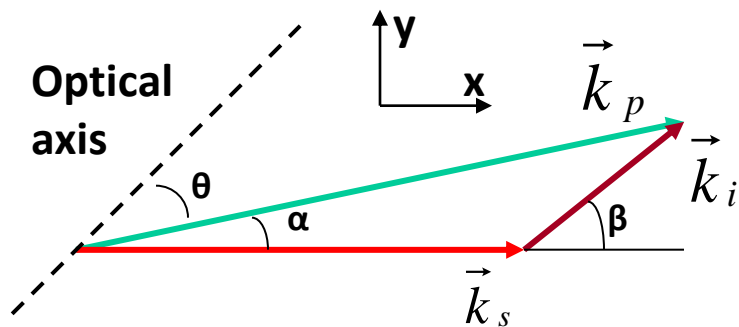
- Wavelengths (frequencies) of interacting waves:  $\lambda_p, \lambda_s, \lambda_i$  ( $\omega_p, \omega_s, \omega_i$ )
- Interaction angles inside crystal:  $\theta, \alpha, \beta$

**N1** – number of equations which describe the OPA for quasi-monochromatic wave interactions

**N2** – number of equations related to requirements concerning gain bandwidth of OPA

**FP** – free parameters which can be chosen for an experimental set-up

**FP = 6 – N1 – N2**



$$\frac{1}{\lambda_p} = \frac{1}{\lambda_s} + \frac{1}{\lambda_i}$$

$$\frac{n_p(\lambda_p, \theta)}{\lambda_p} \sin \alpha - \frac{n_i(\lambda_i)}{\lambda_i} \sin \beta = 0$$

$$\frac{n_p(\lambda_p, \theta)}{\lambda_p} \cos \alpha - \frac{n_s(\lambda_s)}{\lambda_s} - \frac{n_i(\lambda_i)}{\lambda_i} \cos \beta = 0$$

$N1 = 3, N2 = 0, FP = 3$

Free (chosen) parameters:  $\lambda_p, \lambda_s, \alpha$

Calculated parameters:  $\theta, \beta, \lambda_i$

## Broad bandwidth

$$\Delta k^{(0)} = 0, \Delta k^{(1)} = 0$$

$$\frac{1}{\lambda_p} = \frac{1}{\lambda_s} + \frac{1}{\lambda_i}$$

$$\frac{n_p(\lambda_p, \theta)}{\lambda_p} \sin \alpha - \frac{n_i(\lambda_i)}{\lambda_i} \sin \beta = 0$$

$$\frac{n_p(\lambda_p, \theta)}{\lambda_p} \cos \alpha - \frac{n_s(\lambda_s)}{\lambda_s} - \frac{n_i(\lambda_i)}{\lambda_i} \cos \beta = 0$$

$$v_{gs} = v_{gi} \cos \beta$$

$$\Delta k^{(0)} = 0$$

$$\Delta k^{(1)} = 0$$

$$N1 = 3, N2 = 1, FP = 2$$

Free (chosen) parameters:  $\lambda_p, \lambda_s$

Calculated parameters:  $\alpha, \theta, \beta, \lambda_i$

## Ultra-broad bandwidth

$$\Delta k^{(0)} = 0, \Delta k^{(1)} = 0, \Delta k^{(2)} = 0$$

$$\frac{1}{\lambda_p} = \frac{1}{\lambda_s} + \frac{1}{\lambda_i}$$

$$\frac{n_p(\lambda_p, \theta)}{\lambda_p} \sin \alpha - \frac{n_i(\lambda_i)}{\lambda_i} \sin \beta = 0$$

$$\frac{n_p(\lambda_p, \theta)}{\lambda_p} \cos \alpha - \frac{n_s(\lambda_s)}{\lambda_s} - \frac{n_i(\lambda_i)}{\lambda_i} \cos \beta = 0$$

$$v_{gs} = v_{gi} \cos \beta$$

$$\frac{\partial^2 k_s}{\partial \omega_s^2} \cos \beta + \frac{\partial^2 k_i}{\partial \omega_i^2} - \frac{\sin^2 \beta}{v_{gs}^2 k_i} = 0$$

$$\Delta k^{(0)} = 0$$

$$\Delta k^{(1)} = 0$$

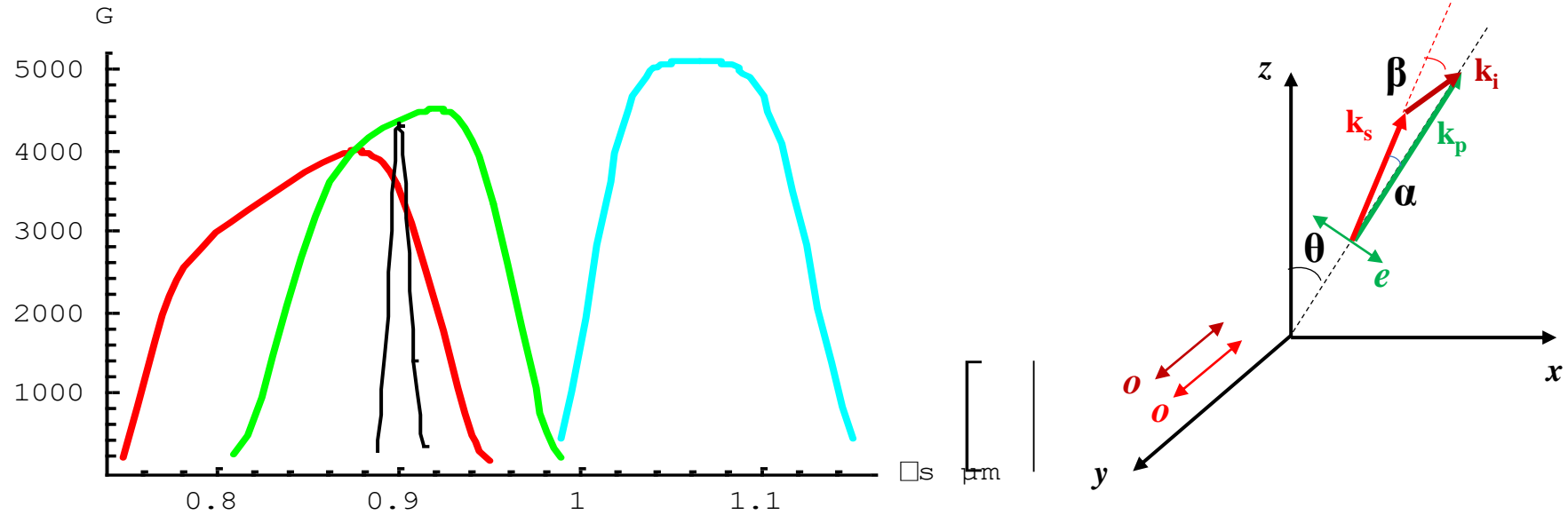
$$\Delta k^{(2)} = 0$$

$$N1 = 3, N2 = 2, FP = 1$$

Chosen parameter:  $\lambda_p$

Calculated parameters:  $\lambda_s, \theta, \alpha, \beta, \lambda_i$

# Gain bandwidths in BaB<sub>2</sub>O<sub>4</sub> (BBO) crystals



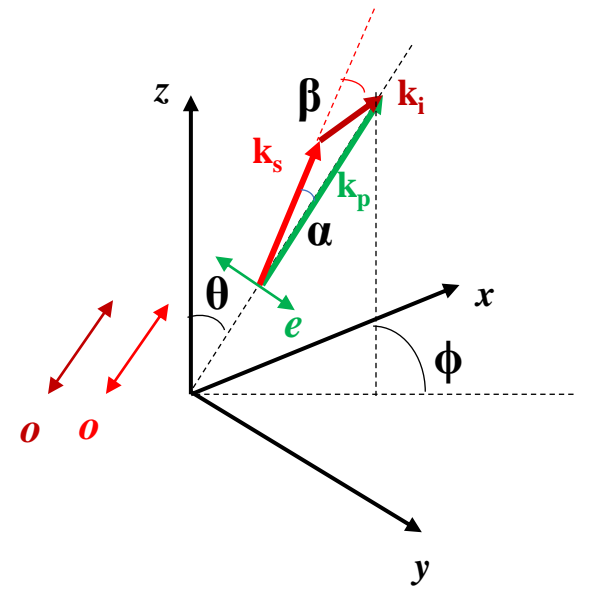
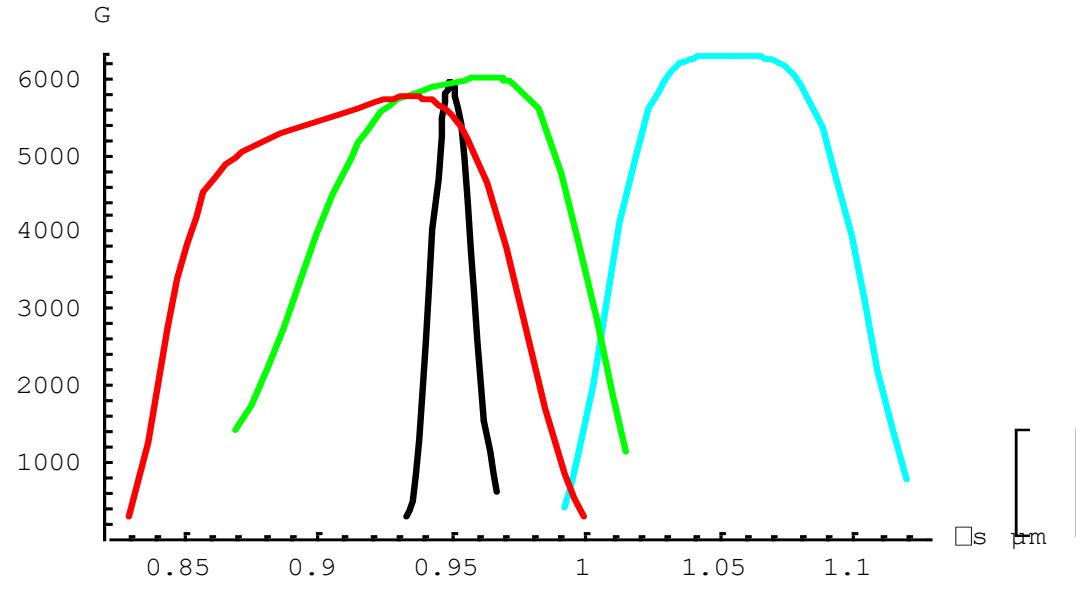
**Small signal gain spectra for type - I OPA in a 10-mm length BBO crystal,  $I_p = 1 \text{ GW/cm}^2$ .**  
 $\lambda_p = 0.532 \text{ }\mu\text{m}$ . Black color – collinear interaction,  $\lambda_s = 0.9 \text{ }\mu\text{m}$ ; Blue color – collinear degenerated (CD) OPA,  $\lambda_s = \lambda_i = 1.064 \text{ }\mu\text{m}$ ; Green color – NOPA,  $\lambda_s = 0.9 \text{ }\mu\text{m}$ ; Red color – UBB-NOPA,  $\lambda_s = 0.825 \text{ }\mu\text{m}$ .

| Parametric process | $\lambda_p$ [ $\mu\text{m}$ ] | $\lambda_s$ [ $\mu\text{m}$ ] | $\lambda_i$ [ $\mu\text{m}$ ] | $d_{\text{eff}}$ [pm/V] | $\theta$ [deg] | $\phi$ [deg] | $\alpha$ [deg] | $\beta$ [deg] | FWHM-GB [nm] |
|--------------------|-------------------------------|-------------------------------|-------------------------------|-------------------------|----------------|--------------|----------------|---------------|--------------|
| Collinear OPA      | 0.532                         | 0.900                         | 1.301                         | 2.07                    | 22.6           | 0            | 0              | 0             | 13           |
| CD-OPA             | 0.532                         | 1.064                         | 1.064                         | 2.06                    | 22.8           | 0            | 0              | 0             | 115          |
| NOPA               | 0.532                         | 0.900                         | 1.301                         | 2.07                    | 23.7           | 0            | 2.26           | 5.55          | 120          |
| UBB-NOPA           | 0.532                         | 0.825                         | 1.497                         | 2.07                    | 23.8           | 0            | 2.41           | 6.82          | 150          |

**Ultra-broad gain bandwidths can support the amplification of 10 fs range laser pulses**

# Gain bandwidths in $KD_2PO_4$ (DKDP) crystals

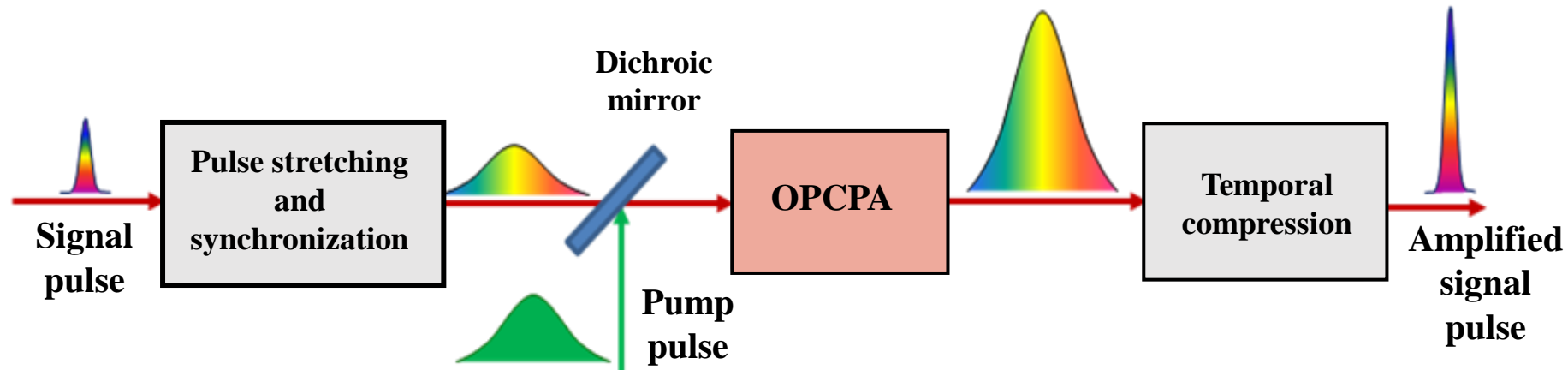
$KH_2PO_4 \rightarrow KDP$   
 $K(H_2)_{1-d}(D_2)_dPO_4 \rightarrow P\text{-DKDP}$   
 $KD_2PO_4 \rightarrow DKDP$



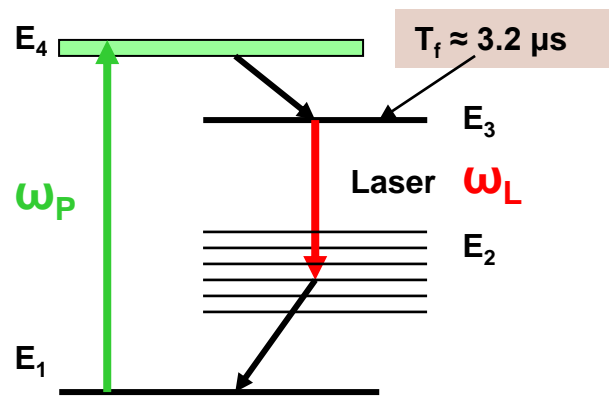
**Small signal gain spectra for type – I OPA in a 80-mm length DKDP crystal,  $I_p = 1 \text{ GW/cm}^2$ .**  
 $\lambda_p = 0.527 \text{ }\mu\text{m}$ . Black color – collinear interaction,  $\lambda_s = 0.95 \text{ }\mu\text{m}$ ; Blue color – collinear degenerated (CD) OPA,  $\lambda_s = \lambda_i = 1.054 \text{ }\mu\text{m}$ ; Green color – NOPA,  $\lambda_s = 0.95 \text{ }\mu\text{m}$ ; Red color – UBB-NOPA,  $\lambda_s = 0.900 \text{ }\mu\text{m}$ .

| Parametric process | $\lambda_p$ [ $\mu\text{m}$ ] | $\lambda_s$ [ $\mu\text{m}$ ] | $\lambda_i$ [ $\mu\text{m}$ ] | $d_{\text{eff}}$ [pm/V] | $\theta$ [deg] | $\phi$ [deg] | $\alpha$ [deg] | $\beta$ [deg] | FWHM-GB [nm] |
|--------------------|-------------------------------|-------------------------------|-------------------------------|-------------------------|----------------|--------------|----------------|---------------|--------------|
| Collinear OPA      | 0.527                         | 0.950                         | 1.184                         | 0.22                    | 36.7           | 45           | 0              | 0             | 15           |
| CD-OPA             | 0.527                         | 1.054                         | 1.054                         | 0.22                    | 36.6           | 45           | 0              | 0             | 100          |
| NOPA               | 0.527                         | 0.950                         | 1.184                         | 0.22                    | 37.0           | 45           | 0.85           | 1.92          | 110          |
| UBB-NOPA           | 0.527                         | 0.900                         | 1.271                         | 0.22                    | 37.0           | 45           | 0.92           | 2.22          | 135          |

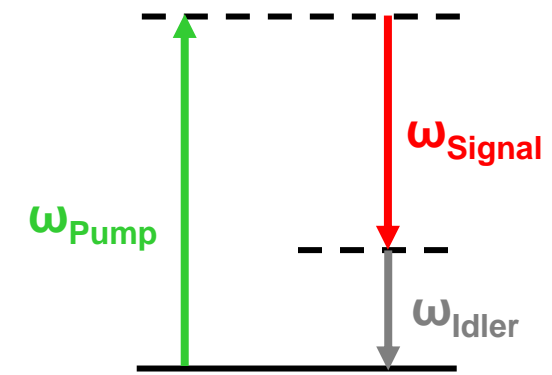
# Principle of Optical Parametric Chirped Pulse Amplification (OPCPA)



Temporal and spatial overlapping of the signal and pump pulse are required



Ti:sapphire CPA  
versus  
OPCPA



Amplification process based on accumulated inversion population versus an instantaneous nonlinear process which takes place only when signal and pump waves are simultaneously present

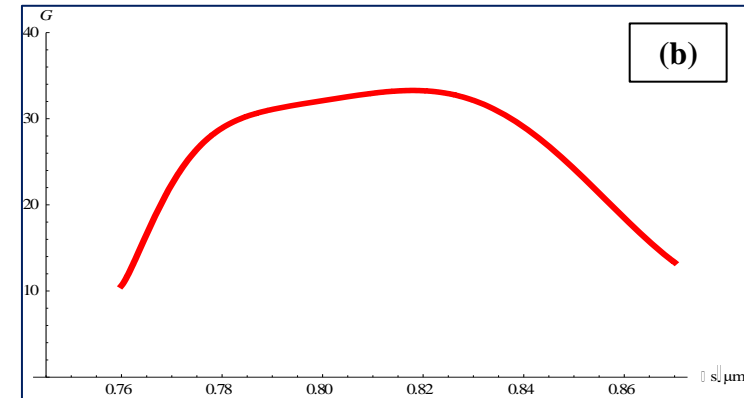
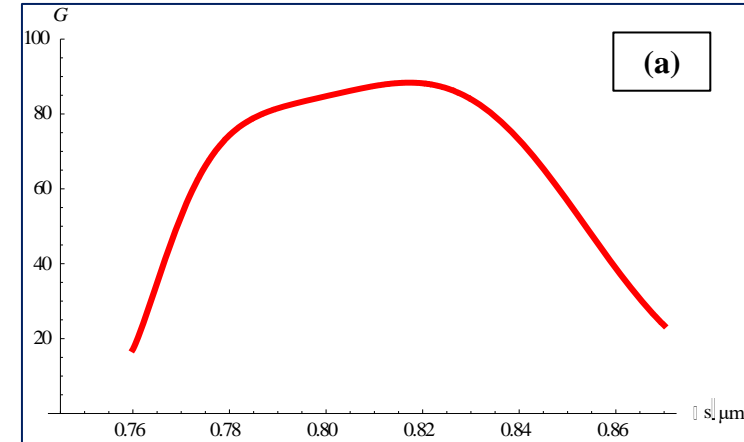
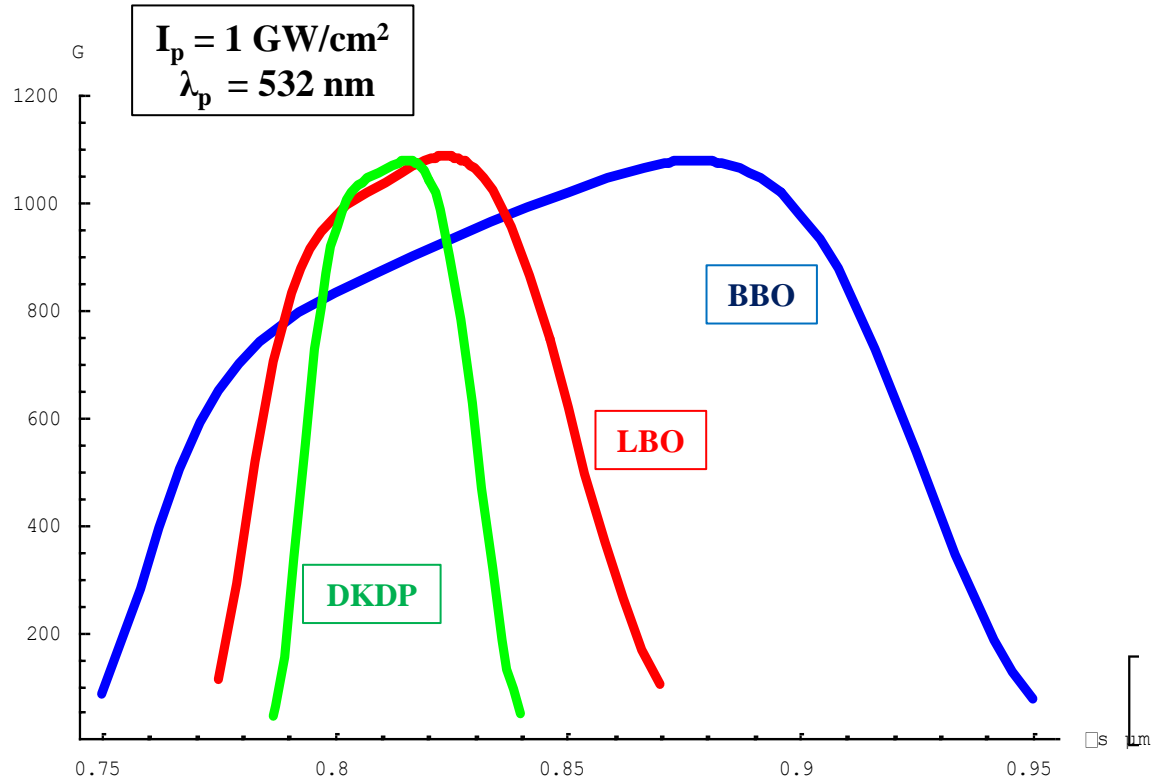
A. Dubietis et al, "Powerful femtosecond pulse generation by chirped and stretched pulse parametric amplification in BBO crystal". Optics Commun. **88**, 437 (1992).

**Comparison of bulk damage threshold (@1064 nm, 1.3 ns):**

| Crystal    | Energy Fluence (J/cm <sup>2</sup> ) | Power Density (GW/cm <sup>2</sup> ) |
|------------|-------------------------------------|-------------------------------------|
| <b>KTP</b> | <b>6.0</b>                          | <b>4.6</b>                          |
| <b>KDP</b> | <b>10.9</b>                         | <b>8.4</b>                          |
| <b>BBO</b> | <b>12.9</b>                         | <b>9.9</b>                          |
| <b>LBO</b> | <b>24.6</b>                         | <b>18.9</b>                         |

| Nonlinear crystal | Available clear aperture diameter | Gain bandwidth  |
|-------------------|-----------------------------------|---|
| <b>BBO</b>        | <b>Few cm</b>                     | <b>Can amplify 10-fs laser pulses with 800 nm central wavelength up to ~100 mJ pulse energy</b>   |
| <b>DKDP, KDP</b>  | <b>Up to 50 cm</b>                | <b>Can amplify kJ 10-fs pulses in 900 nm spectral band; requires shifting of the Ti:sapphire laser pulses spectrum (central wavelength)*</b>                          |
| <b>LBO</b>        | <b>More than 10 cm</b>            | <b>Can amplify laser pulses with 10-fs range pulse duration in the 900 nm spectral band. Can amplify &gt;100 J/ 20 fs laser pulses at 800 nm central wavelength**</b> |

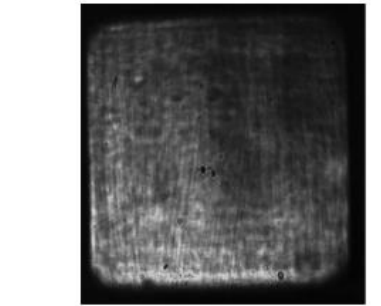
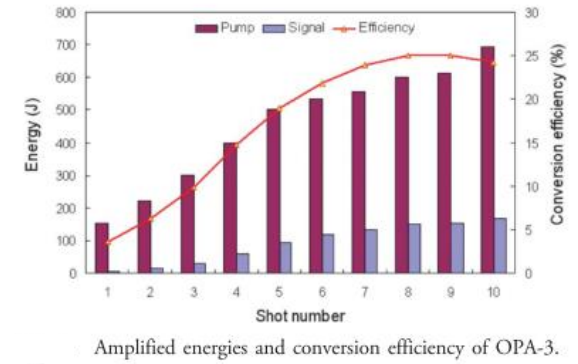
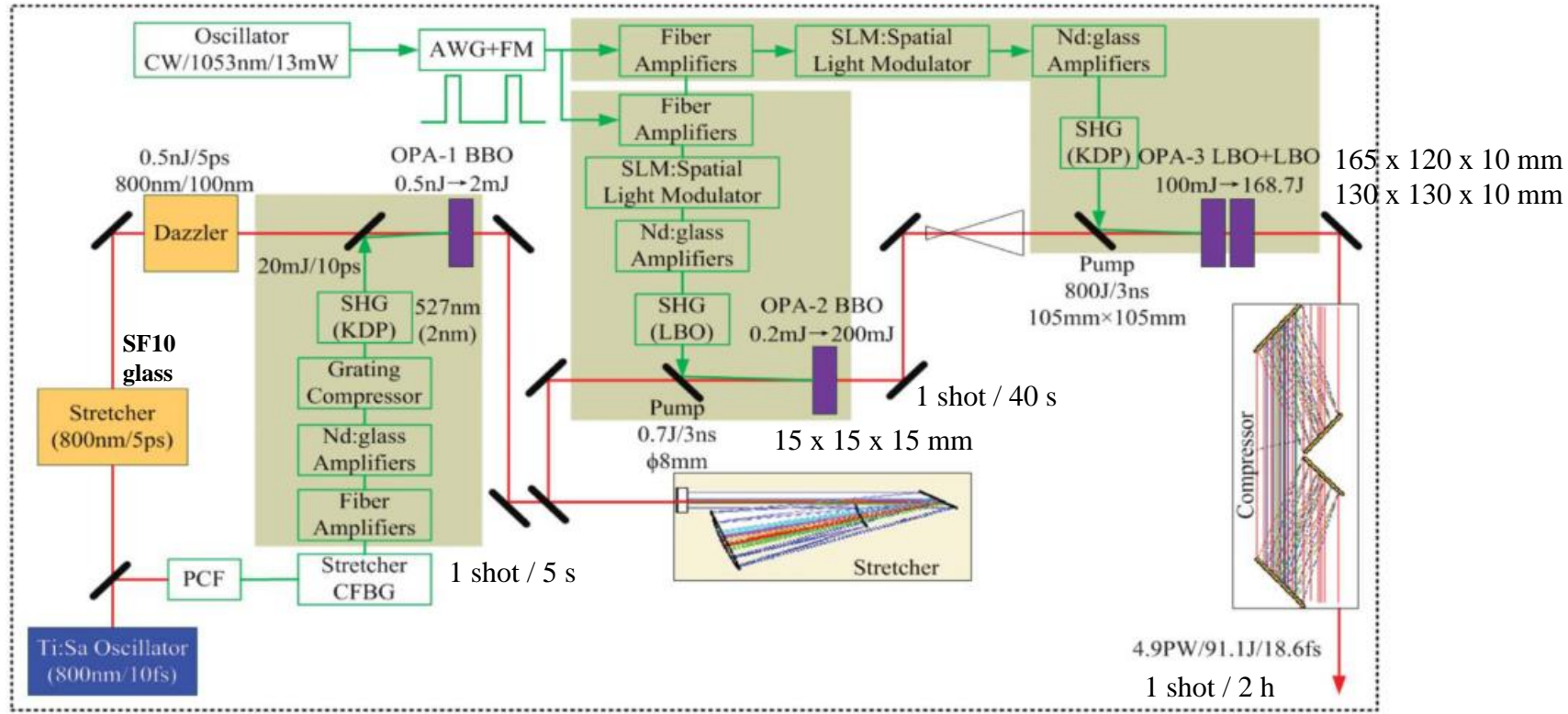
\*V.V. Lozhkarev et al., „Compact 0.56 Petawatt laser system based on optical parametric chirped pulse amplification in KD\*P crystals”, Laser Phys. Lett. **4** (6), 421–427 (2007).  
 \*Y. Tang et al, “Optical parametric chirped-pulse amplification source suitable for seeding high-energy systems”, Opt. Lett. **33** (20), 2386 (2008)  
 \*\*L.Yu et al., “Optimization for high-energy and high-efficiency broadband optical parametric chirped-pulse amplification in LBO near 800 nm”, Opt. Lett. **40** (14), 3412 (2015).



|     | Pump intensity<br>[GW/cm <sup>2</sup> ] | Crystal Length<br>[mm] | Gain Bandwidth-<br>FWHM [nm] |
|-----|---|------------------------|------------------------------|
| (a) | 1.5                                     | 12                     | ~ 90                         |
| (b) | 1.5                                     | 10                     | ~ 97                         |

**LiB<sub>3</sub>O<sub>5</sub> (LBO) NOPA small signal gain bandwidth (FWHM) around 810 nm wavelength**

| Crystal      | Length<br>[mm] | Central wavelength<br>[nm] | Gain bandwidth -<br>FWHM [nm] |
|--------------|----------------|----------------------------|-------------------------------|
| BBO (blue)   | 8.7            | 825                        | 156                           |
| LBO (red)    | 21             | 810                        | 71                            |
| DKDP (green) | 70             | 810                        | 37                            |

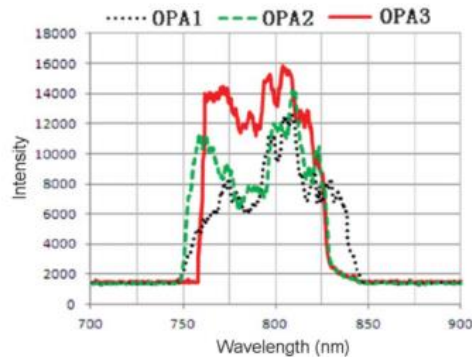


Near-field profile after OPA-3.

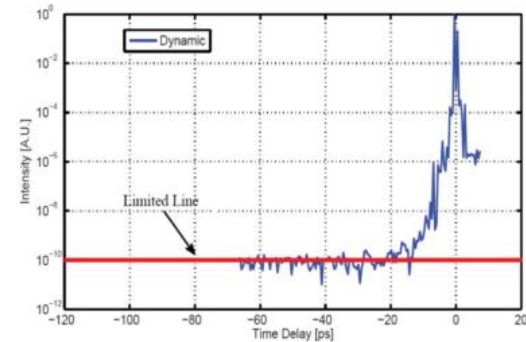
Schematic of the CAEP-PW laser facility.

**4.9 PW / 91.1 J / 18.6 fs**

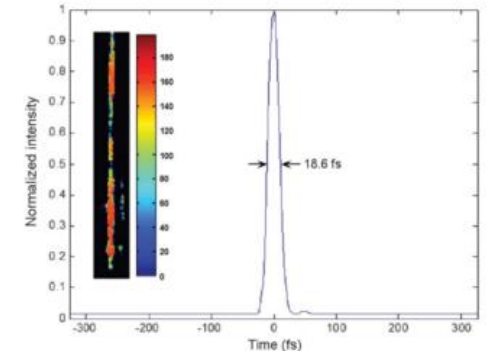
PCF, photonic crystal fiber  
CFBG, fiber Bragg grating  
AWG, arbitrary wave-form generator



Typical output spectrum of three amplifiers.



Temporal profile after the compressor measured by a single-shot third-order autocorrelator.



Compressed duration of 18.6 fs (single-shot autocorrelation trace, by applying a Gaussian deconvolution factor).



**Advantages and Drawbacks of all-OPCPA  
femtosecond laser systems**

| Advantages  | Drawbacks   |
|---|---|
| <p><b>No Spectral band narrowing &amp; Red shifting:</b> Large spectral bandwidth could be preserved during amplification process</p> <p><b>Signal pulse is amplified only when signal and pump pulses are temporally and spatially overlapped:</b><br/><b>Intensity contrast is improved outside the overlapping time range of seed and pump pulses</b> (using optically synchronized ps seed and pump pulses)</p> <p><b>No thermal loading → Low wavefront distortion</b></p> <p><b>No back-reflected radiation amplification</b></p> | <p><b>Critical signal-pump pulse synchronization and spatial overlapping</b><br/>Optical synchronization is necessary in case of picosecond-femtosecond signal and pump lasers<br/>Critical signal-pump wave vectors angle</p> <p><b>Many technical difficulties are related to the pump lasers:</b><br/>High energy single beam pump laser<br/>Useful pump energy is in the range of 1-3 nsec pulse duration</p> <p><b>Low repetition rate of pump laser pulses</b></p> <p><b>Critical spatial and temporal pump laser beam profiles</b><br/>Very stable flat top and smooth spatial and temporal profile of the pump pulses are required<br/>Amplified spectrum strongly depends on pump pulse fluctuations</p> |

## Hybrid chirped pulse amplification

combines CPA in Ti:sapphire crystals with OPCPA in nonlinear crystals

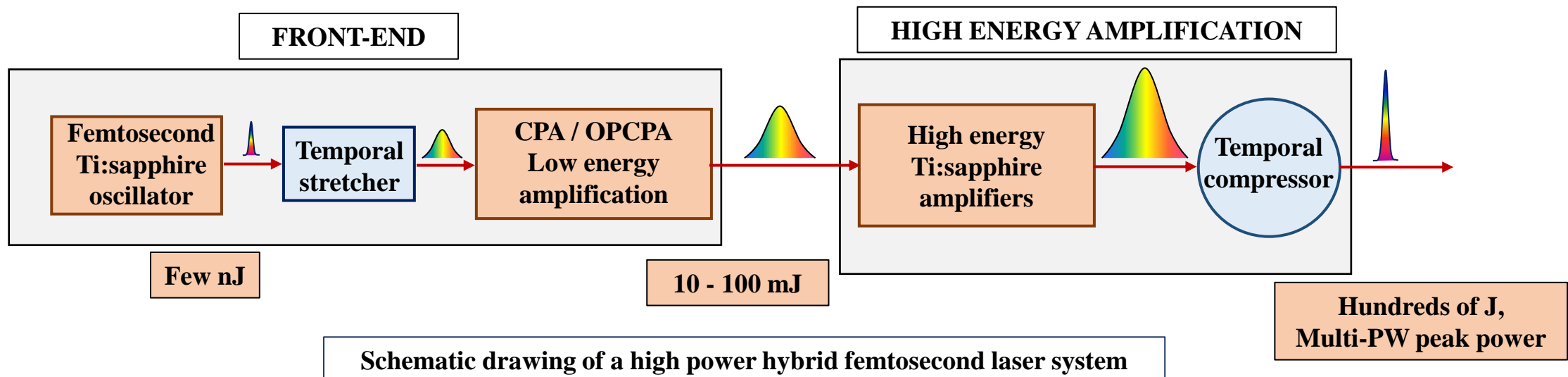
**Key feature of hybrid femtosecond lasers is the matching of Ti:sapphire laser spectrum with the gain bandwidth of OPCPA nonlinear crystals.**

**OPCPA in BBO ( $\beta\text{-BaB}_2\text{O}_4$ ) crystals:** the central wavelength of the ultra-broad gain bandwidth corresponds to the central wavelength of the amplified spectrum of Ti:sapphire, about **800 nm**. The amplification in **BBO** crystals can be easily combined with high energy Ti:sapphire amplification.

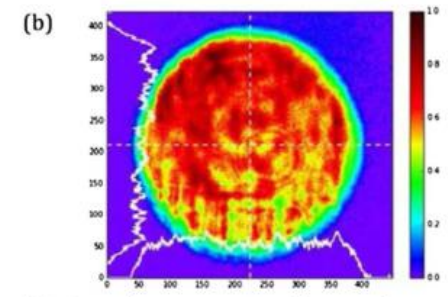
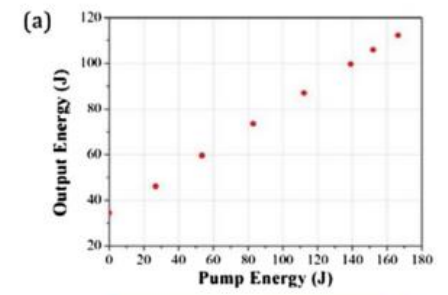
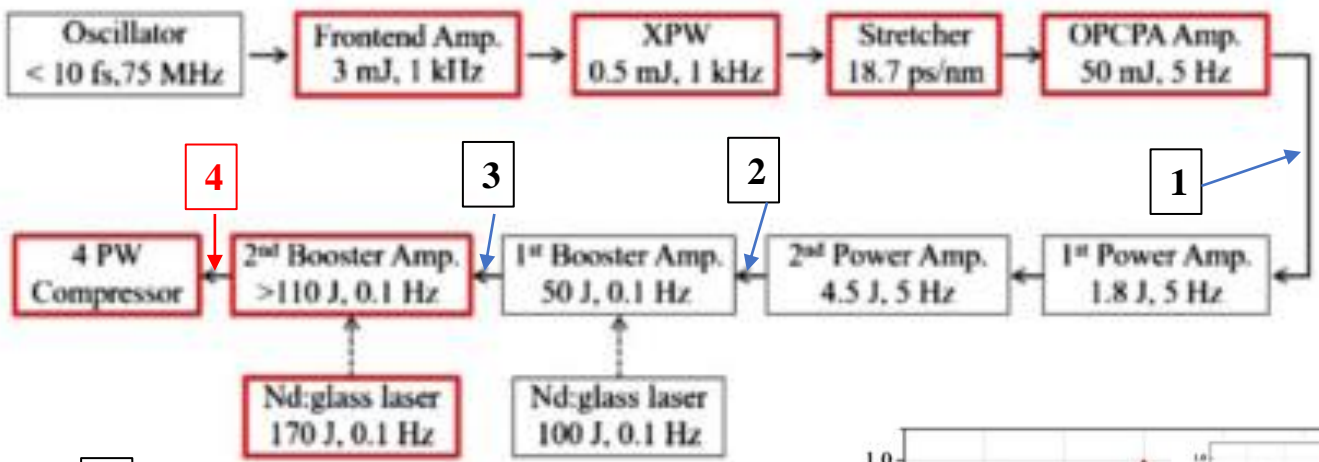
**OPCPA in KDP, DKDP and LBO ( $\text{LiB}_3\text{O}_5$ ) crystals:** the central wavelength of the ultra-broad gain bandwidths is in the range of **900 nm**. It is more difficult to combine the amplification in these crystals with Ti:sapphire amplification.

### Features of hybrid CPA:

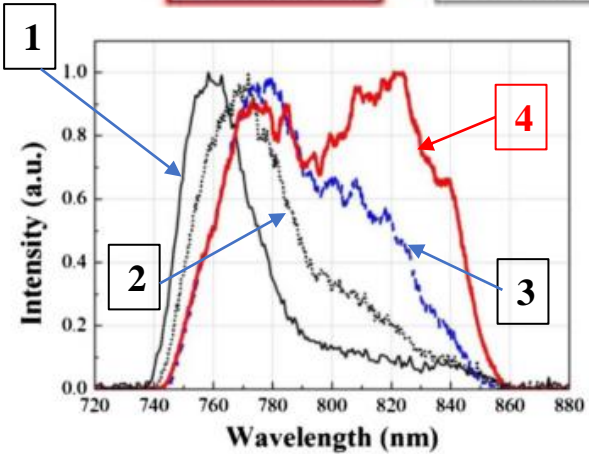
- **High intensity contrast**
- **Broad-bandwidth amplified pulses  $\rightarrow$  very short duration recompressed laser pulses**
- **Low thermal effects and beam distortions**
- **A couple of high energy pump lasers with relatively high repetition rate can be used for pumping the large aperture Ti:sapphire crystals from high energy amplification stages**



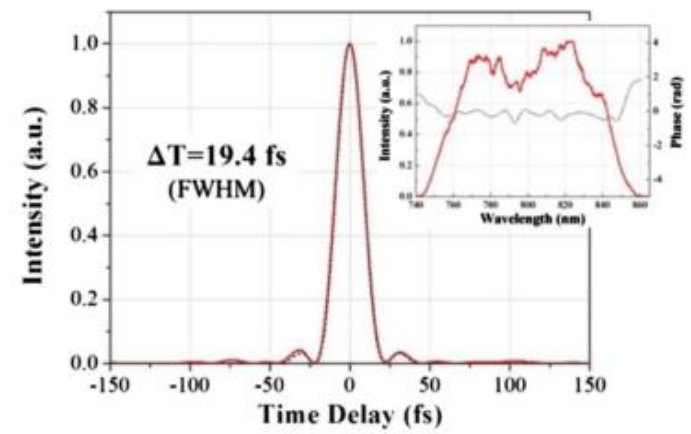
# Hybrid multi-PW femtosecond laser system



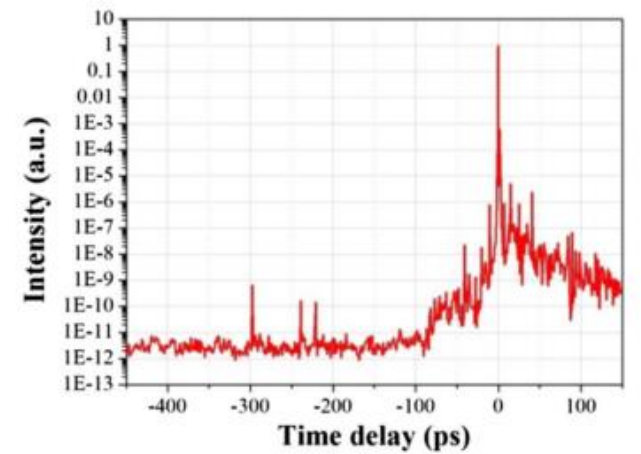
(a) Measured output energy as a function of pump energy in the final booster amplifier. (b) Spatial beam profile after the final booster amplifier.



Laser spectra after the OPCPA amplifier (thin solid line), the second power amplifier (dotted line), the first booster amplifier (dashed line), and the second booster amplifier (thick solid line).



Reconstructed temporal profile of the 4.2 PW laser pulse (solid line) and calculated temporal profile of the Fourier-transform-limited pulse (dotted line). The inset shows the final spectrum (solid line) and the final spectral phase (dotted line).



Temporal contrast of the compressed laser pulse without the pumping of two booster amplifiers.

### 100 PW Laser Projects

1. USA, University of Rochester, Department of Energy, Optical Parametric Amplifier Line (OPAL), 75 PW – “single beam”
2. China, Shanghai, Super-intense Ultrafast Laser Facility , Station of Extreme Light (SEL), >100 PW ( $3 \times 40$  PW).
3. Russia, Institute of Applied Physics of the Russian Academy of Sciences, Nizhny Novgorod, Exawatt Center for Extreme Light Studies (XCELS), 180 PW ( $12 \times 15$  PW)

E. Cartlidge, “The light fantastic”, Science, **359**, 382-383 (2018).

All project conceptual designs were based on OPCPA in large size DKDP, P-DKDP crystals.

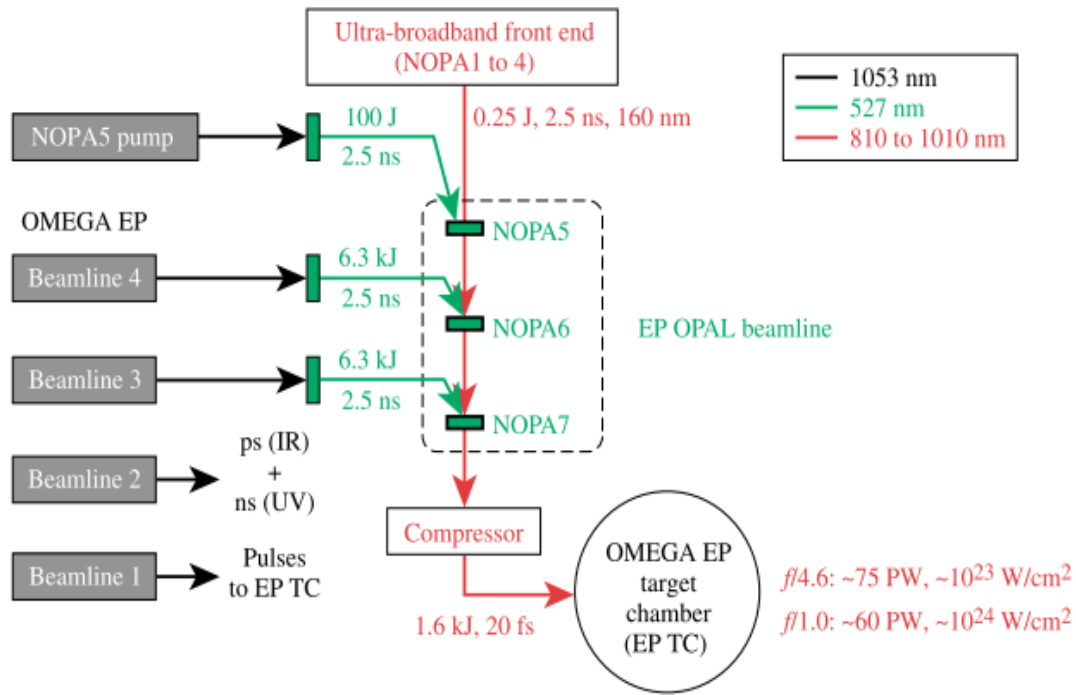
#### **Why OPCPA for 100-PW class laser systems?**

- DKDP crystals have clear aperture significantly larger compared to Ti:sapphire crystals (> 400 mm vs ~200 mm)
- Ultrabroad spectral band of amplified pulses (~200 nm), ~2 times broader than in Ti:sapphire laser systems

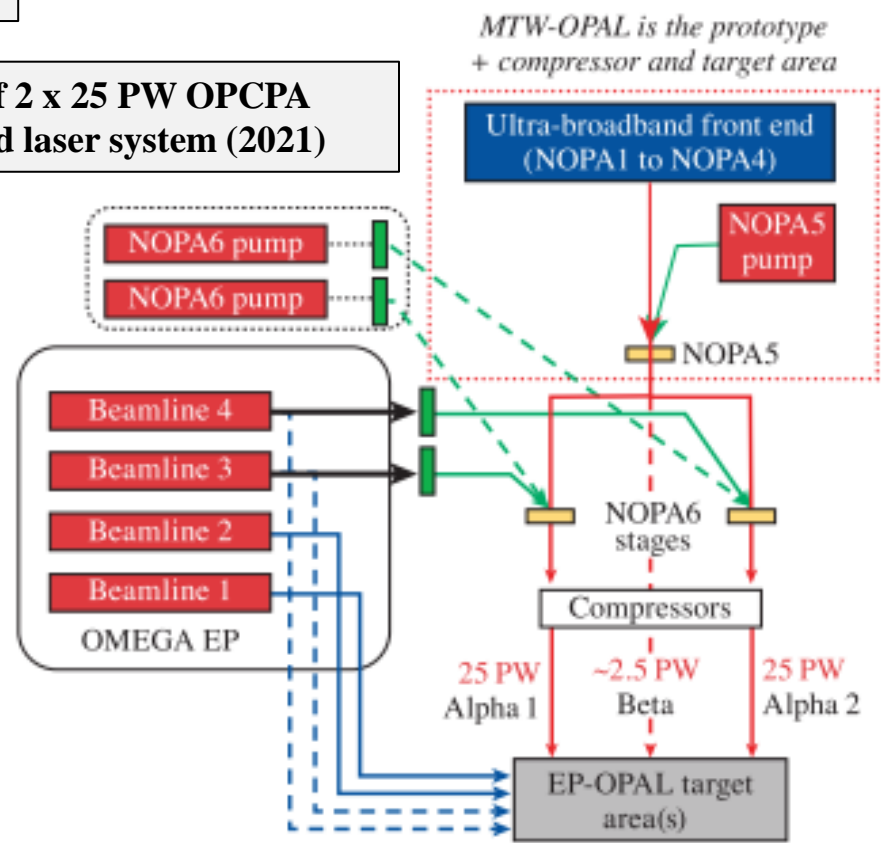
### **Technical challenges and critical technologies**

- (1) Generation of ultra-broadband pulse seed in the 900 nm spectral range
- (2) Ultra-broadband front-end amplification, ~200 nm, at the low energy level (mJ)
- (3) Large aperture (> 400 mm), high optical quality, partially-deuterated DKDP crystals cut for type I phase-matching, ~200 nm gain bandwidth.
- (4) Development of high energy (~10 kJ), few-nanosecond green lasers, with increased repetition rate, super-Gaussian spatial and temporal profile, for high energy OPCPA pumping.
- (5) **Pulse compression technology for single-beam laser systems:**
  - Hybrid dielectric-on-metal gratings that may be available in the future with high diffraction efficiency and higher damage threshold.
  - Multi-step pulse compressor.
- (6) **Techniques for tiled-aperture coherent beam combining in multi-beam laser systems.**
- (7) Development of ultra-short pulse diagnostics, particularly vacuum pulse measurements using a sample of the laser beam.

**Concept of a single beam 75 PW OPCPA femtosecond laser system (2019)**



**Concept of 2 x 25 PW OPCPA femtosecond laser system (2021)**



EP-OPAL schematic showing two options for pumping the final amplifiers, NOPA6, for the two 25-PW beamlines that are seeded by a common front end.

Top level of the EP OPAL (optical parametric amplifier line) system, showing the major subsystems and the neighboring OMEGA EP beamlines that would be available for joint shots. NOPA, noncollinear optical parametric amplifier; EPTC, OMEGA EP target chamber.

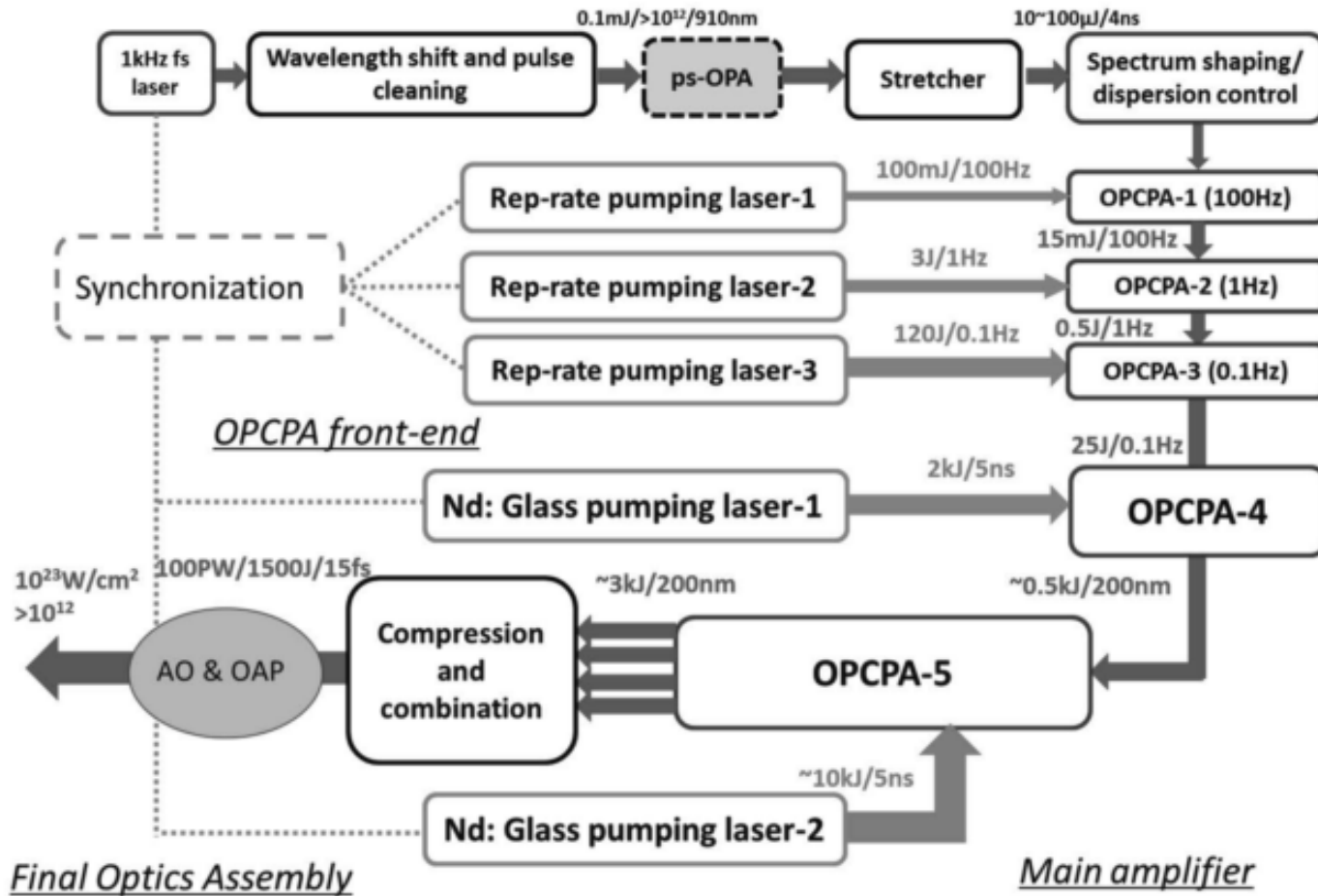
Broad-band seed pulses are produced from a self-focusing filament and white light continuum generation in an undoped YAG crystals pumped by a Yb-doped fiber CPA laser (about 200 nm bandwidth around 920 nm wavelength)

Optical synchronization of picosecond seed and pump pulses up to the 5 mJ broad-band pulse energy

J. Bromage et al., "Technology development for ultraintense all-OPCPA systems", High power Laser Science and Engineering (2019), Vol. 7, e4.

J. Bromage et al., "MTW-OPAL: a technology development platform for ultra-intense optical parametric chirped-pulse amplification systems", High power Laser Science and Engineering (2021), Vol. 9, e63.

# Conceptual design of 100-PW laser system at Station of Extreme Light (SEL), Shanghai Institute of Optics and Fine Mechanics, China



The layout of the SEL-100 PW laser.

The size of current gratings cannot support 100 PW (1.5 kJ/15 fs) laser compression directly.

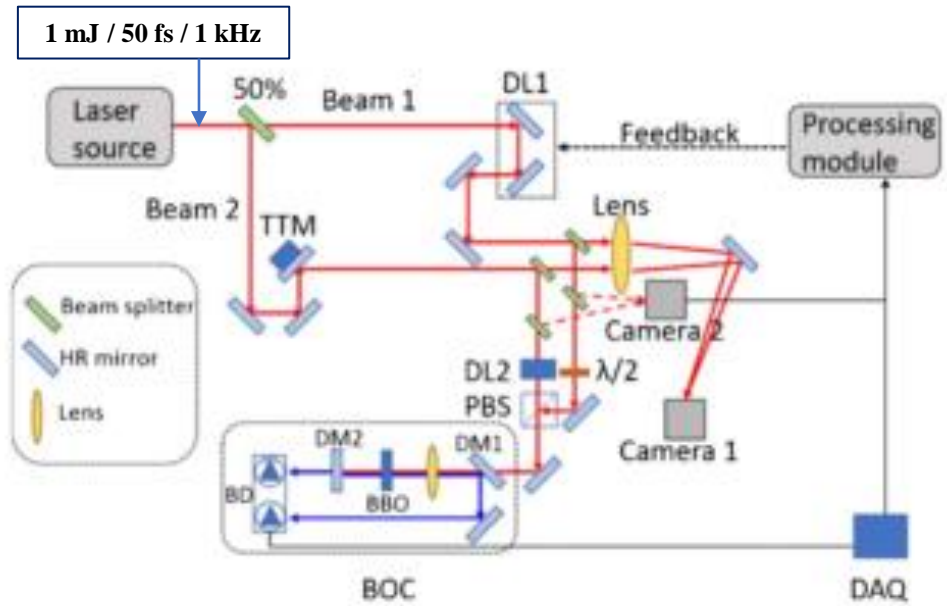
The expanded beam will be divided in 4 smaller beams of ~400 mm x 400 mm

These four beams will be separately compressed and coherently recombined in a whole one by multi-beam tiled aperture combination.

### Current status: Front-End development for the 100 PW-Class laser facility

Using three stages of OPCA based on LBO crystals, 5.26 J/0.1 Hz amplified output with bandwidth over 200 nm near the central wavelength of 925 nm was obtained. After 67% compression efficiency, 13.4 fs pulses with peak power of > 260 TW were reported.

# It is practically possible multi-beam tiled aperture coherent combination?



Experiment setup. BD, balanced photodetector; BOC, balanced optical cross-correlator; DL1/DL2, delay line; DM1, dichroic mirror, AR at 800 nm, HR at 400 nm; DM2, dichroic mirror, AR at 400 nm, HR at 800 nm; PBS, polarization beam splitter; TTM, tip-tilt mirror; BBO, beta barium borate crystal; DAQ, data acquisition card.

The time domain synchronization was controlled by a piezoelectric transducer (PZT) in DL1. RMS error was controlled to  $\lambda/51$ . BBO crystal cut for type II SFG. Two sum-frequency signals are generated. Temporal and spatial overlapping of fs pulses was controlled by BOC. The phase difference between two beams was controlled using near-field interference beam pattern.

Letter

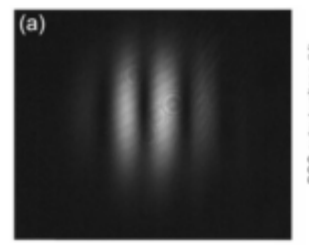
3960 Vol. 42, No. 19 / October 1 2017 / Optics Letters

## Optics Letters

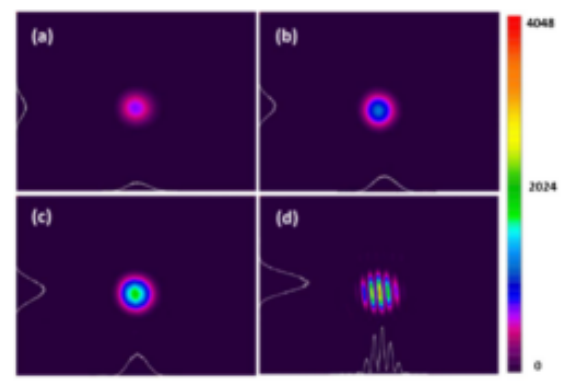
### High-precision active synchronization control of high-power, tiled-aperture coherent beam combining

CHUN PENG,<sup>1,2</sup> XIAOYAN LIANG,<sup>1,3,4,\*</sup> RENQI LIU,<sup>1,2</sup> WENQI LI,<sup>1,2,4</sup> AND RUXIN LI<sup>1,3,4,5</sup>

<sup>1</sup>State Key Laboratory of High Field Laser Physics, Shanghai Institute of Optics and Fine Mechanics, Chinese Academy of Sciences, Shanghai 201800, China  
<sup>2</sup>University of Chinese Academy of Sciences, Beijing 100049, China  
<sup>3</sup>IFSA Collaborative Innovation Center, Shanghai Jiao Tong University, Shanghai 200240, China  
<sup>4</sup>School of Physical Science and Technology, ShanghaiTech University, Shanghai 200031, China



Interference pattern recorded by Camera 2.



Beam profiles in the focal plane: (a) beam one, (b) beam two, (c) two beams incoherently combined, and (d) two beams coherently combined.

Camera 1

Combining efficiency was  $\eta = 93\%$

$$\eta = \frac{I_{\Sigma}}{I_1 + I_2 + 2\sqrt{I_1 I_2}}$$

where  $I_{\Sigma}$  is the peak intensity of the far-field spot of the combined pulses, and  $I_1, I_2$  are those of the single beams.

170 OPTICS LETTERS / Vol. 39, No. 1 / January 1, 2014

## High-efficiency, broad-bandwidth metal/multilayer-dielectric gratings

Heyuan Guan,<sup>1,2</sup> Hui Chen,<sup>3</sup> Jianbo Wu,<sup>1</sup> Yunxia Jin,<sup>1,\*</sup> Fanyu Kong,<sup>1</sup> Shijie Liu,<sup>1</sup> Kui Yi,<sup>1</sup> and Jianda Shao<sup>1</sup>

<sup>1</sup>Key Laboratory of Materials for High Power Laser, Shanghai Institute of Optics and Fine Mechanics, Chinese Academy of Sciences, Shanghai 201800, China

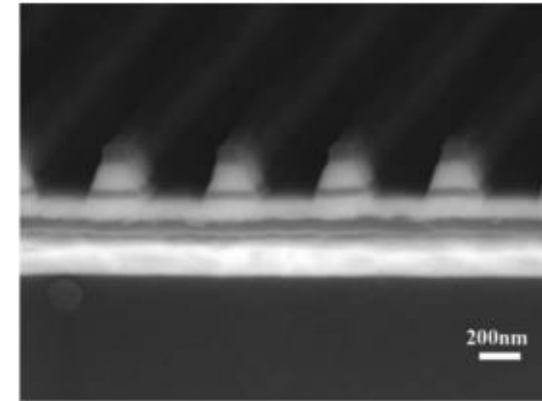
<sup>2</sup>Graduate School of Chinese Academy of Sciences, Beijing 100039, China

<sup>3</sup>State Key Laboratory of Precision Measurement Technology and Instruments, Department of Precision Instruments, Tsinghua University, Beijing 100084, China

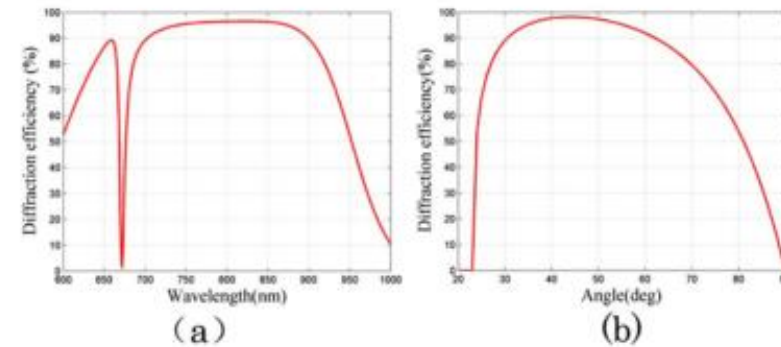
\*Corresponding author: yxjin@siom.ac.cn

Received September 30, 2013; revised November 22, 2013; accepted November 29, 2013;  
posted December 3, 2013 (Doc. ID 198570); published December 24, 2013

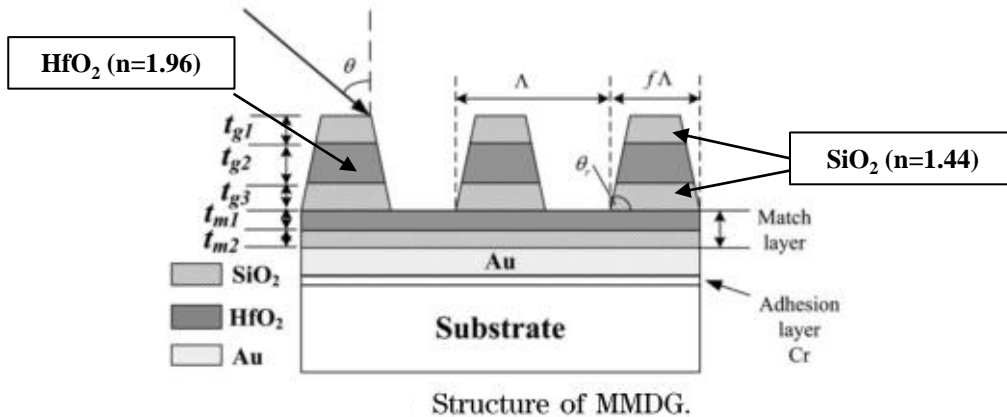
We report on an 800 nm center-wavelength metal/multilayer-dielectric grating (MMDG) with broadband, high diffraction efficiency. The trapezoidal grating ridge consists of an HfO<sub>2</sub> layer sandwiched between two SiO<sub>2</sub> films. Combining the advantages of SiO<sub>2</sub> and HfO<sub>2</sub>, the grating ridge reduces the difficulties of grating ridge attainment. For such a configuration, high-performance MMDG can be successfully fabricated using the existing technology. Experimentally we demonstrated a 163 nm bandwidth MMDG with -1st-order diffraction efficiency greater than 90%. The fabricated MMDG achieved high performance as the design with large fabrication tolerances. © 2013 Optical Society of America



Cross-sectional views of MMDG.



-1st-order diffraction efficiencies versus (a) incident wavelength and (b) angle for the designed MMDG with  $f = 0.43$ ,  $t_{g1} = 100$  nm,  $t_{g2} = 150$  nm,  $t_{g3} = 57$  nm,  $t_{m1} = 119$  nm,  $t_{m2} = 81$  nm,  $\Lambda = 574.7$  nm, and  $\theta_r = 75^\circ$ .



LIDT at 800 nm / 45 fs, 0.32-0.47 J / cm<sup>2</sup> ?



## Multi-step pulse compressor (MPC), a solution for a single beam 100 PW-class femtosecond laser system?

Research Article Vol. 29, No. 11 / 24 May 2021 / Optics Express 17140

Optics EXPRESS

### Multistep pulse compressor for 10s to 100s PW lasers

JUN LIU,<sup>1,2,3</sup> XIONG SHEN,<sup>1</sup> SHUMAN DU,<sup>1,2</sup> AND RUXIN LI<sup>1,2,4</sup>

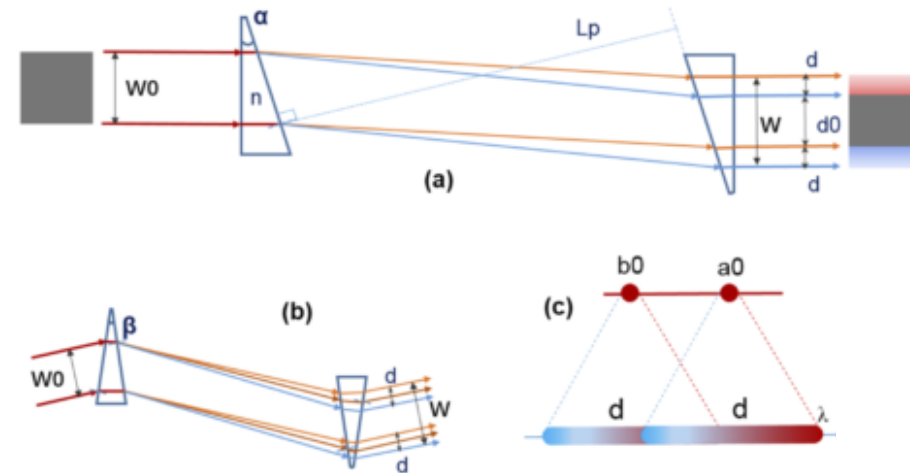
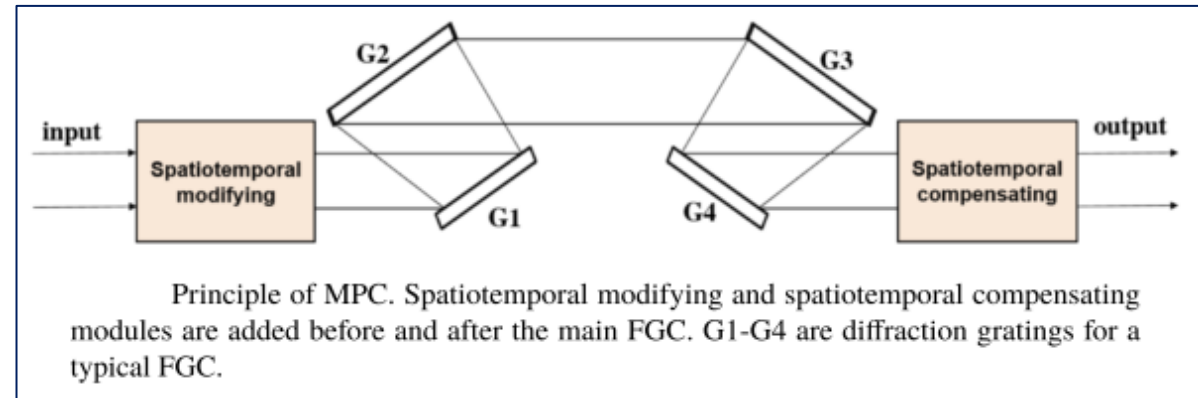
<sup>1</sup>State Key Laboratory of High Field Laser Physics and CAS Center for Excellence in Ultra-intense Laser Science, Shanghai Institute of Optics and Fine Mechanics, Chinese Academy of Sciences, Shanghai 201800, China

<sup>2</sup>University Center of Materials Science and Optoelectronics Engineering, University of Chinese Academy of Sciences, Beijing 100049, China

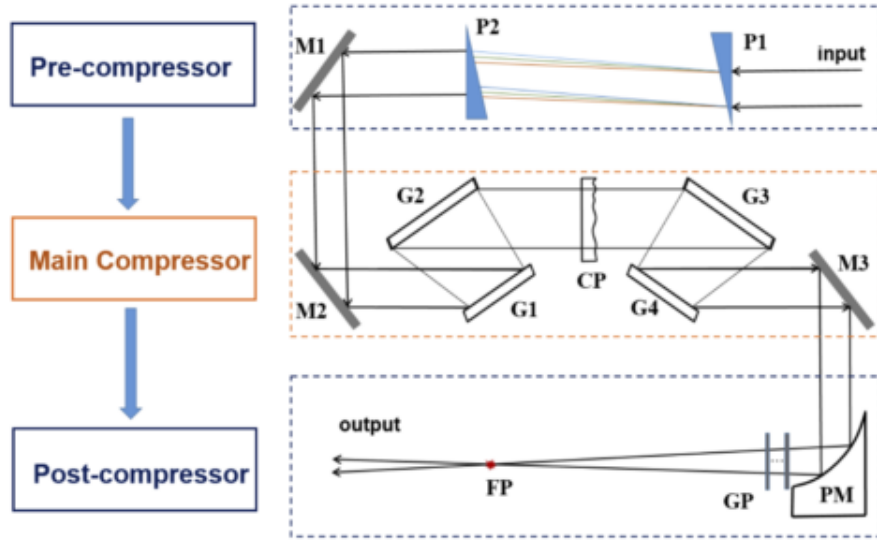
<sup>3</sup>jliu@siom.ac.cn

<sup>4</sup>ruxinli@mail.siom.ac.cn

**Abstract:** High-energy tens (10s) to hundreds (100s) petawatt (PW) lasers are key tools for exploring frontier fundamental researches such as strong-field quantum electrodynamics (QED), and the generation of positron-electron pair from vacuum. Recently, pulse compressor became the main obstacle on achieving higher peak power due to the limitation of damage threshold and size of diffraction gratings. Here, we propose a feasible multistep pulse compressor (MPC) to increase the maximum bearable input and output pulse energies through modifying their spatiotemporal properties. Typically, the new MPC including a prism pair for pre-compression, a four-grating compressor (FGC) for main compression, and a spatiotemporal focusing based self-compressor for post-compression. The prism pair can induce spatial dispersion to smooth and enlarge the laser beam, which increase the maximum input and output pulse energies. As a result, as high as 100 PW laser with single beam or more than 150 PW through combining two beams can be obtained by using MPC and current available optics. This new optical design will simplify the compressor, improve the stability, and save expensive gratings/optics simultaneously. Theoretically, the output pulse energy can be increased by about 4 times using the MPC method in comparison to a typical FGC. Together with the multi-beam tiled-aperture combining method, the proposed tiled-grating based tiled-aperture method, larger gratings, or negative chirp pulse based self-compression method, several 100s PW laser beam is expected to be obtained by using this MPC method in the future, which will further extend the ultra-intense laser physics research fields.



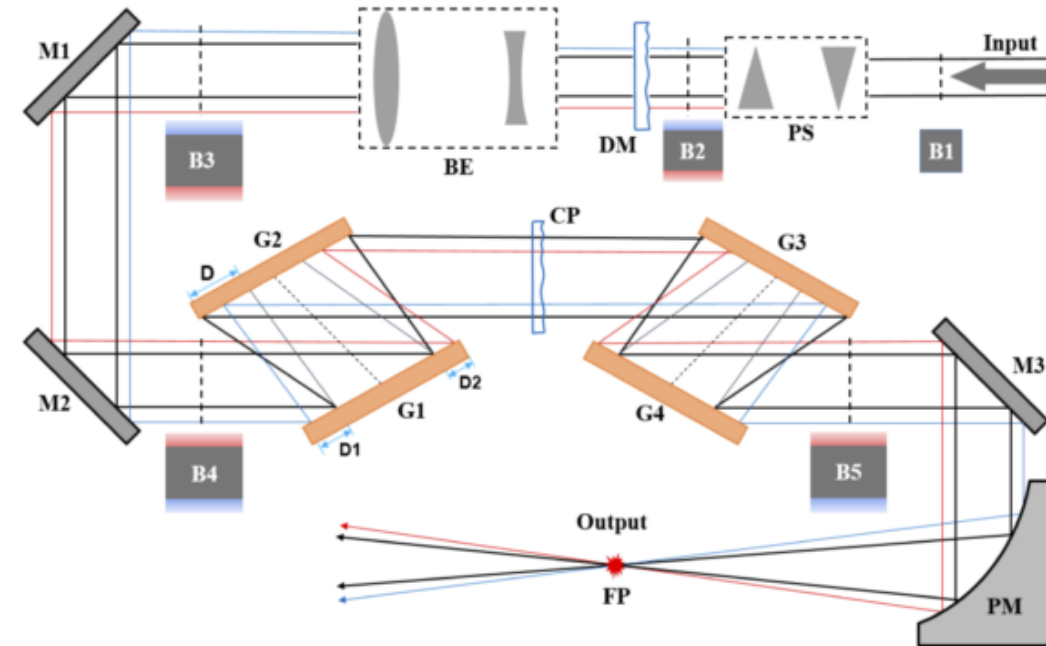
(a). The optical setup of (a) right angle prism pair and (b) isosceles prism pair for pre-compression.  $W_0$ : input laser beam width,  $W$ : output laser beam width,  $d$ : spatial dispersion width,  $L_p$ : the perpendicular distance between the two prisms,  $\alpha$  and  $\beta$  are the apex angles of the right angle prism and isosceles prism, respectively. (c) Principle of beam smoothing using angular/spatial dispersion.  $a_0$  and  $b_0$ : two hot spots with high intensity and full spectral bandwidth,  $d$ : extended length of  $a_0$  or  $b_0$  after the prism pair.



The basic scheme of MPC including pre-compressor, main compressor, and post-compressor. P1, P2: Prism, M1-M3: reflective mirrors, G1-G4: diffraction gratings, CP: compensating plate, GP: thin glass plates, PM: parabolic mirror, FP: focal point.

- Practically due to the hot-spots a two-times smaller acceptable fluence on gratings is considered for compressor design.
- The dangerous peak fluence on the  $G_1$  diffraction grating would be reduced by a factor of  $\sim 2$ .
- From experimental data the highest damage threshold of fluence ( $\text{mJ}/\text{cm}^2$ ) for ns, ps and fs laser pulses is about 2.67:1.66:1 for gold-coated diffraction gratings at 800 nm central wavelength.
- If the last  $G_4$  grating operates at picosecond level, the output pulse energy could be improved by  $\sim 1.6$  times

**Theoretically, the output pulse energy with single-beam can be increased by about 4 times using the MPC method in comparison to that of a typical four-grating compressor**



The optical diagrammatic sketch of the proposed single MPC for 100 PW laser. B1-5, beam profiles at five different positions indicated by the dashed lines. PS, prism pair system inducing spatial dispersion. DM, deformable mirrors for precisely spatial-spectral phase compensating besides CP. BE, beam expander. M1-3, reflective mirrors. G1-4, diffraction gratings. D, the maximum extended length of a full bandwidth laser on G2. D1-2, the extended length of blue and red regions with spatial dispersion on G1, respectively. CP, compensating plate. PM, parabolic mirror. FP, focal point.

It had been proved experimentally and theoretically that the negative chirped laser pulse can be reshaped and self-compressed in a piece of glass plate. J. Liu et al., "Spectrum reshaping and pulse self-compression in normally dispersive media with negatively chirped femtosecond pulses", Opt. Express **14**(2), 979-987 (2006). The negatively chirped input pulse based self-compression will avoid the using of large chirped mirrors for dispersive compensation.

## CONCLUSIONS

**Advantages of CPA:** non-critical pump pulse duration and signal-pump pulse synchronization, high energy nanosecond green pump lasers with relatively high-repetition rate are available.

**Drawbacks of CPA:** spectral band narrowing and red shifting, relatively low intensity contrast due to spontaneous emission amplification, wave-front distortions due to the thermal loading, parasitic lasing in large aperture Ti:sapphire crystals, amplification of the back-reflected radiation from targets.

**Advantages of OPCPA:** large spectral bandwidth is preserved, intensity contrast is improved outside the pump pulse duration, no thermal loading of the amplifying medium.

**Drawbacks of OPCPA:** signal-pump pulse temporal and spatial overlapping is required, stable spatial and temporal pump laser pulse beam profile is required, low repetition rate of single beam few-ns kJ pulse energy pump lasers.

**Hybrid multi-PW laser systems** based on low energy OPCPA and high energy CPA in Ti:sapphire crystals represent a solution for the improvement of amplified femtosecond pulse characteristics.

**High energy OPCPA in large aperture P-DKDP crystals** was proposed for the development of 100-PW class femtosecond laser systems.

**Thank you for your attention**